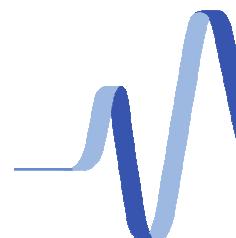


Quantum fluid phenomena with Microcavity Polaritons

ANR



Alberto Bramati

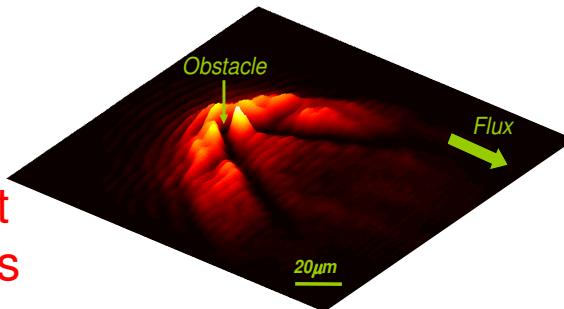


Laboratoire Kastler Brossel
Physique quantique et applications

Quantum Optics Team: topics

Quantum fluid phenomena in polariton gases

⇒ An ideal system to study out of equilibrium quantum fluids

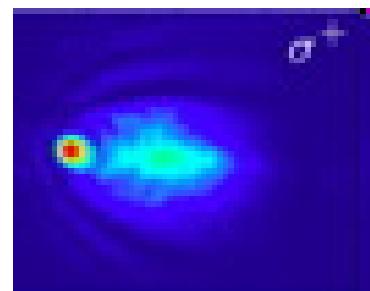


Superfluidity, hydrodynamic dark solitons and vortices

(*Nature Physics* 2009, *Science* 2011, *Nature Photonics* 2011)

Spin dependent non linearities in microcavities

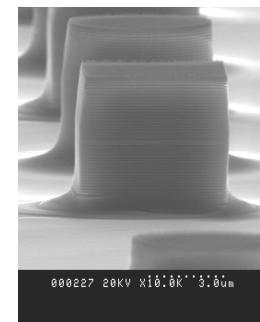
⇒ Towards integrated optoelectronic devices



Logic gates, All Optical Spin Switches (*Nature Physics* 2007, *PRL* 2007, *Nature Photonics* 2010, *PRL* 2011)

Quantum Effects in semiconductor nano and microcavities in strong coupling regime

⇒ Towards a compact, integrable nano- source of entangled beams



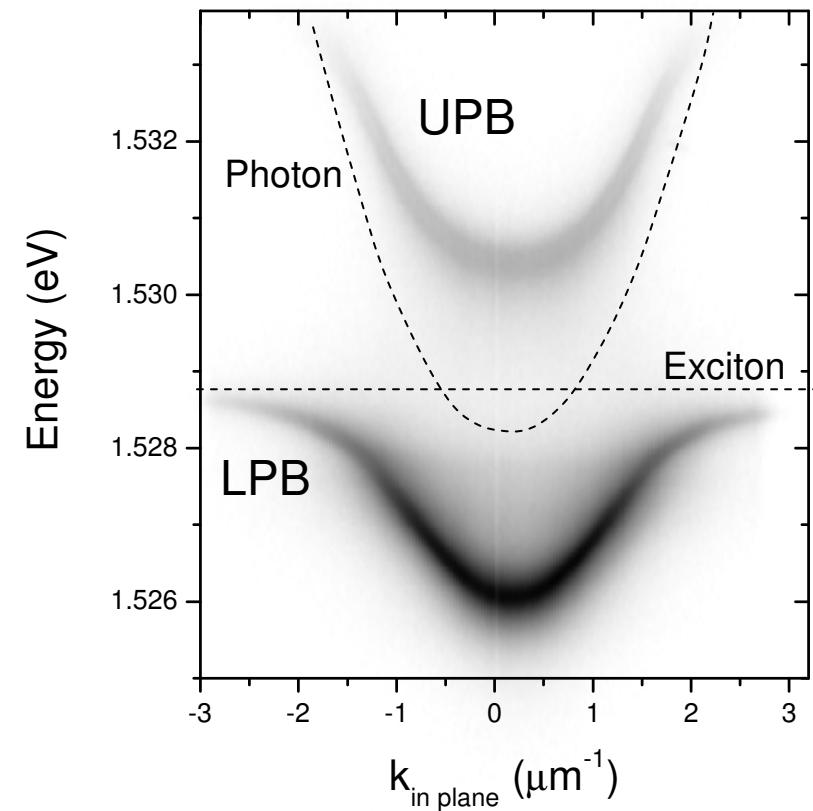
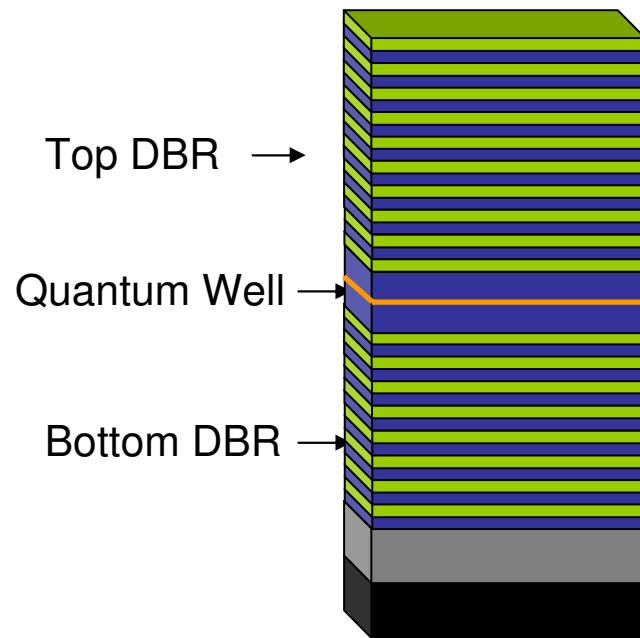
Microcavities, quantum wires, micropillars (*PRL* 2007, *APL* 2010, *PRB* 2011)

Outline

Quantum fluid phenomena

- Introduction
- Superfluidity and Čerenkov regime
- Hydrodynamic Vortices and Dark Solitons
- Towards Vortex Lattices
- Perspectives and conclusion

Microcavity Polaritons



Linear combination of
excitons and photons

$$\left\{ \begin{array}{l} P_+ = -C a + X b \\ P_- = X a + C b \end{array} \right.$$

Microcavity Polaritons

Polaritons are weakly interacting composite bosons

$$\begin{aligned}P_+ &= -C a + X b \\P_- &= X a + C b\end{aligned}$$

Very small effective mass $m \sim 10^{-5} m_e$

Large coherence length $\lambda_T \sim 1-2 \mu\text{m}$ at 5K

$$\lambda_T = \left(\frac{2\pi\hbar^2}{mk_B T} \right)^{\frac{1}{2}}$$

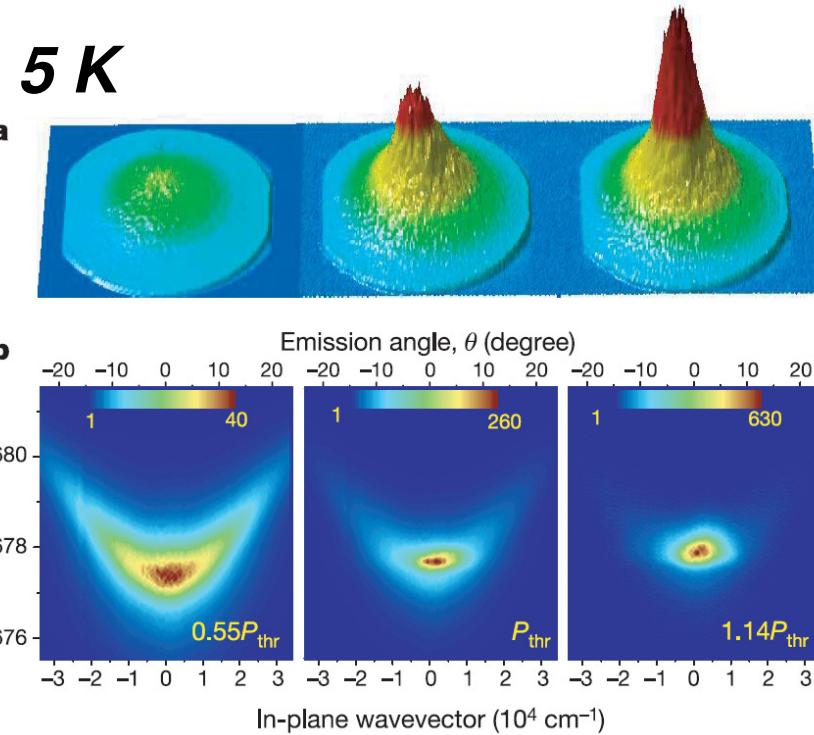
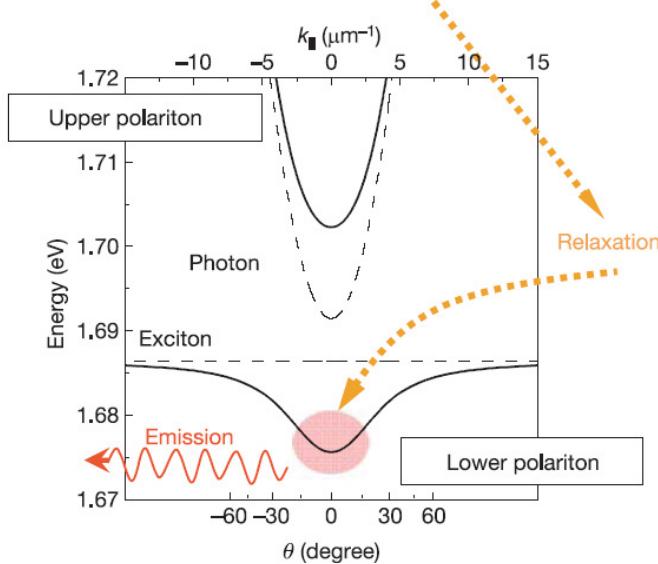
and

mean distance between polaritons $d \sim 0,1-0,2 \mu\text{m}$

This enables the building of many-body quantum coherent effects : condensation, superfluidity

Bose Einstein condensation of polaritons

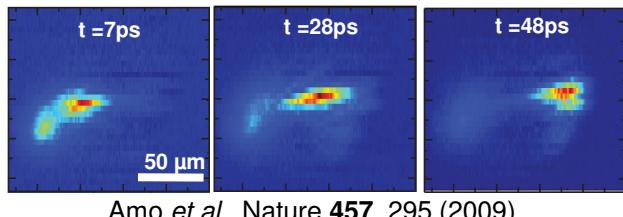
Excitation CW laser 1.755 eV



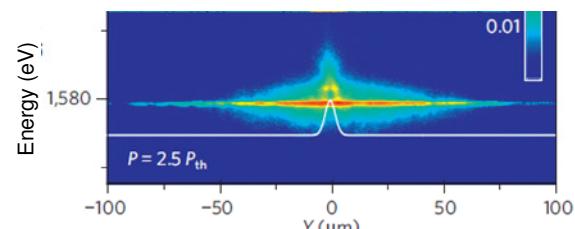
- **2D system**
- Out of equilibrium system :
 - Creation and recombination (polariton life time $\sim 5 \text{ ps}$)

Boson quantum fluids: polaritons

Coherent propagation

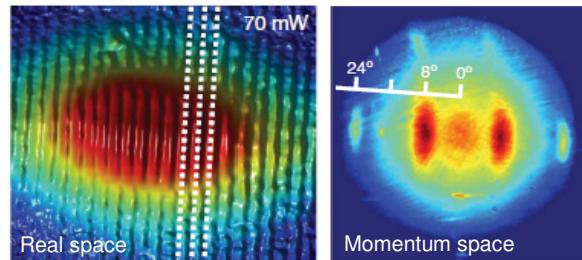


Amo *et al.*, Nature **457**, 295 (2009)



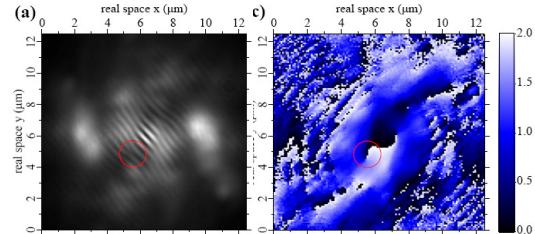
Wertz *et al.*, Nature Phys. **6**, 860 (2010)

Long-range order phases



Lai *et al.*, Nature **450**, 529 (2007)

Vortex and half vortex



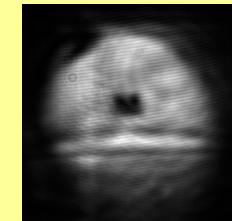
Lagoudakis *et al.*, Nature Phys. **4**, 706 (2008), and Science 326, 974 (2009)

Nardin *et al.*, arXiv:1001.0846v3

Krizhanovskii *et al.*, PRL **104**, 126402 (2010)

Roumpos *et al.*, Nature Phys. **7**, 129 (2010)

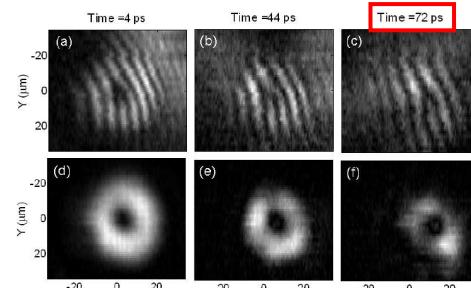
Superfluidity



This talk

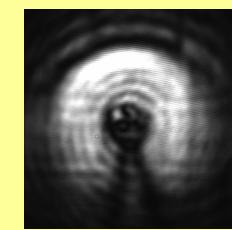
Hydrodynamics: vortex

Persistent currents



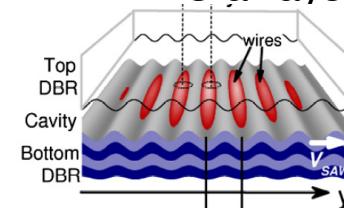
Sanvitto *et al.*, Nature Phys. **6**, 527 (2010)

Hydrodynamics: solitons



This talk

1D BEC arrays



Cerdá-Méndez *et al.*, PRL **105**, 116402 (2010)

Wave equation for polaritons

Evolution of exciton and cavity fields, in the presence of exciton-exciton interaction

Gross-Pitaevskii equation in the presence of defects

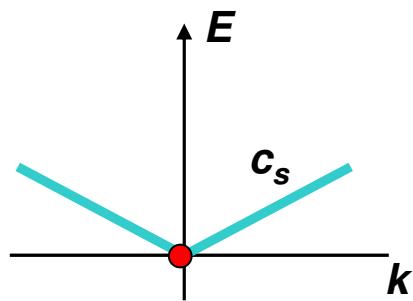
$$i \frac{d}{dt} \begin{pmatrix} \psi_C(\mathbf{x}, t) \\ \psi_X(\mathbf{x}, t) \end{pmatrix} = \begin{pmatrix} F_p e^{i(\mathbf{k}_p \mathbf{x} - \omega_p t)} & 0 \\ 0 & e^{-\frac{(\mathbf{x}-\mathbf{x}_0)^2}{2\delta_x^2}} \end{pmatrix} + \xleftarrow{\text{CW Pump}} \begin{bmatrix} h^0 + \begin{pmatrix} V_C(\mathbf{x}) - i\frac{\gamma_C}{2} & 0 \\ 0 & V_X(\mathbf{x}) - i\frac{\gamma_X}{2} + g|\psi_X(\mathbf{x}, t)|^2 \end{pmatrix} \end{bmatrix} \begin{pmatrix} \psi_C(\mathbf{x}, t) \\ \psi_X(\mathbf{x}, t) \end{pmatrix}$$

normal mode coupling defects decay pol-pol interaction

with $h^0 = \begin{pmatrix} \omega_C(-i\nabla) & \Omega_R \\ \Omega_R & \omega_X(-i\nabla) \end{pmatrix}$

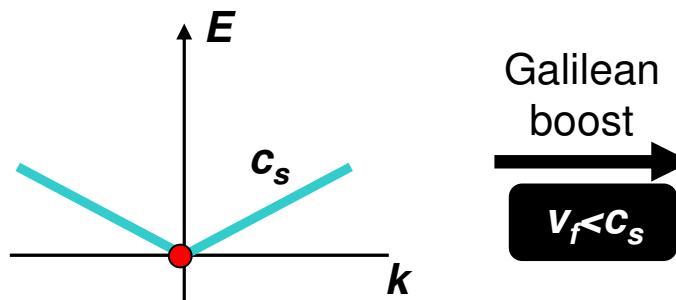
Quantum fluid effects: superfluidity

The Landau Criterion for superfluidity

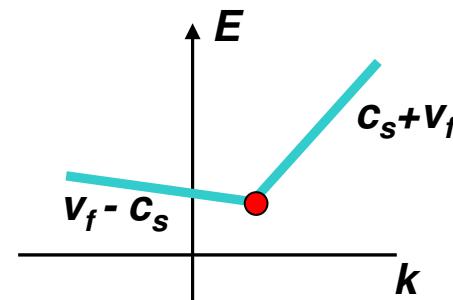


Quantum fluid effects: superfluidity

The Landau Criterion for superfluidity

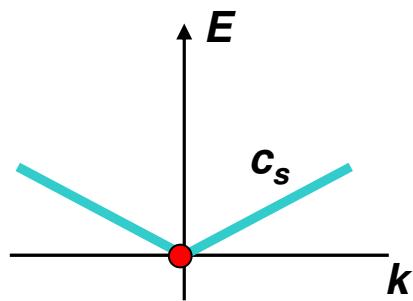


Galilean
boost
 $v_f < c_s$

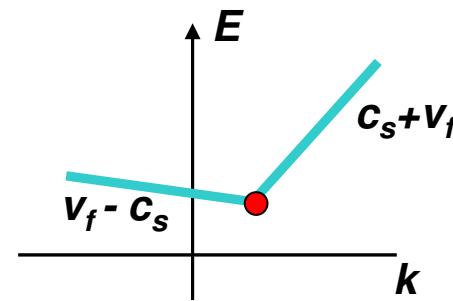


Quantum fluid effects: superfluidity

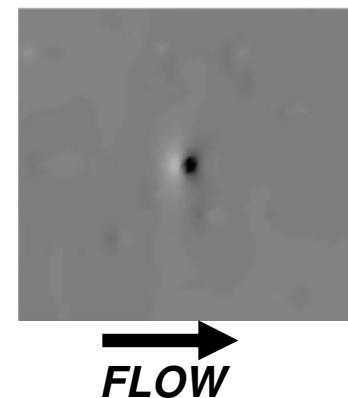
The Landau Criterion for superfluidity



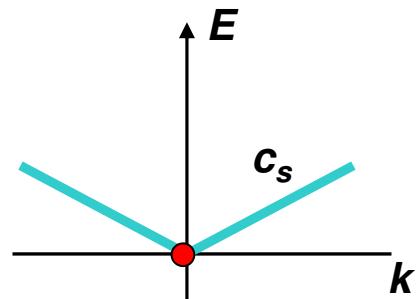
Galilean boost
 $v_f < c_s$



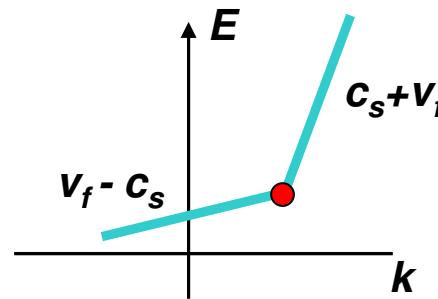
SUPERFLUID



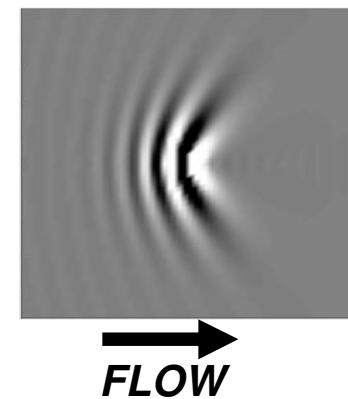
**critical flow velocity for
the onset of excitations: c_s**



Galilean
boost
 $v_f > c_s$

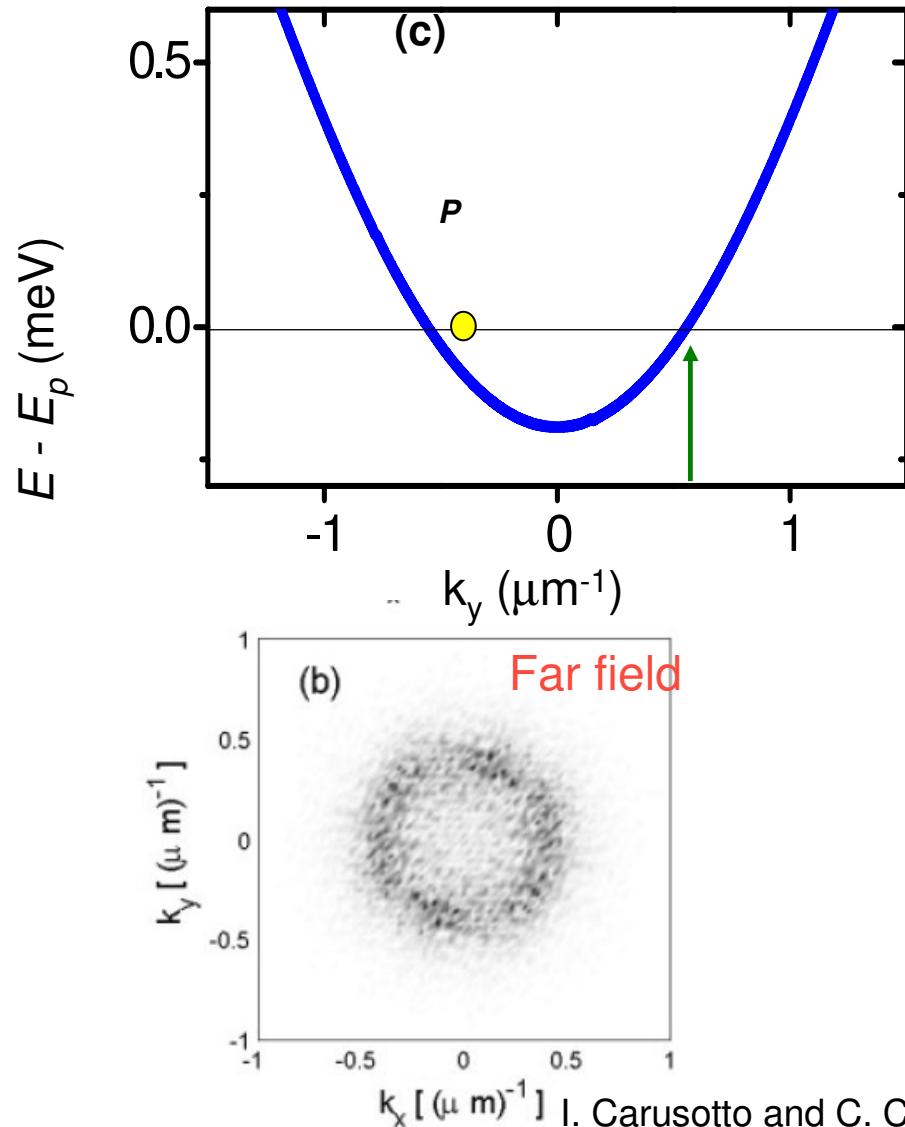


CERENKOV REGIME

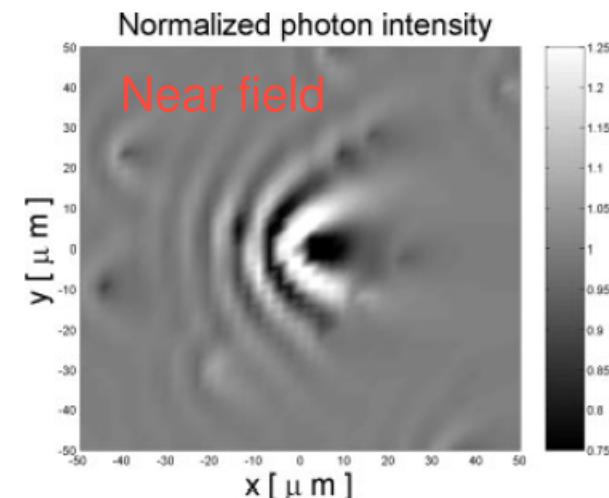


Propagation of a polariton fluid

We probe the behaviour of the fluid through its interaction with defects

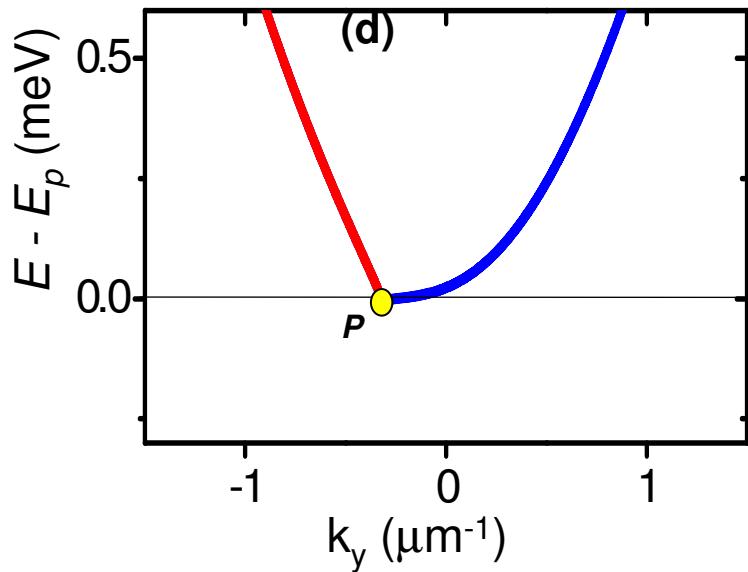


Linear regime, interactions between polaritons are negligible
elastic scattering is possible



I. Carusotto and C. Ciuti, PRL (2004); *Phys. Stat. Sol. (b)*. **242**, 2224 (2005)

Superfluid regime



**Nonlinear regime
strong interactions between
polaritons,
dispersion curve modified**

a sound velocity appears

$$c_s = \sqrt{\hbar g |\psi|^2 / m}$$

If $v_f < c_s$ and density large enough

**Landau criterion for superfluidity is fulfilled:
no states available any more for scattering**

Observation of a linear spectrum of excitation for polaritons:

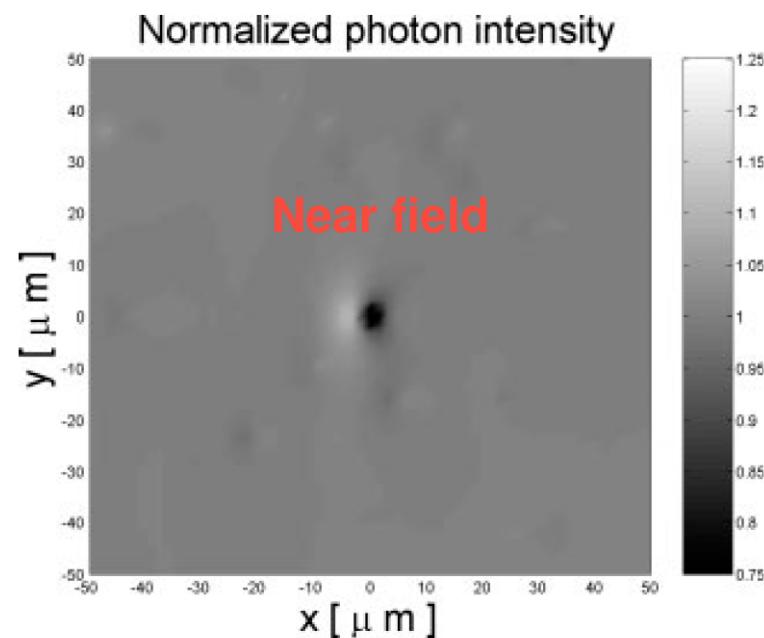
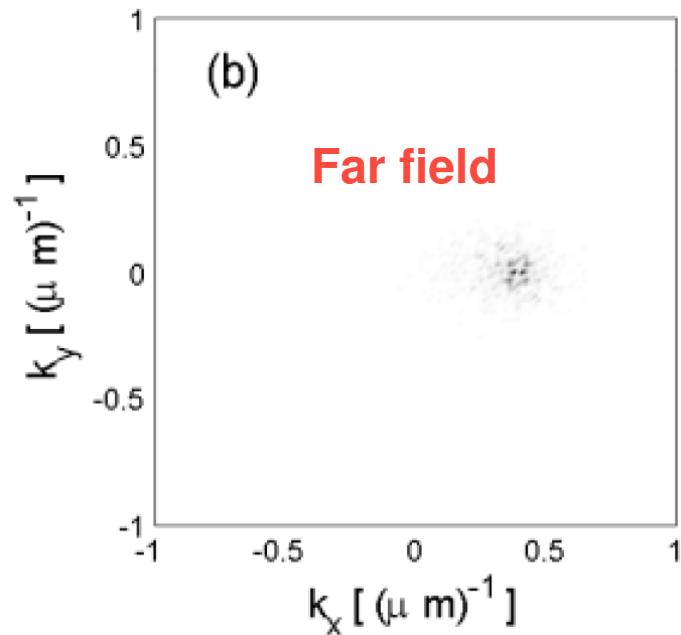
- Utsunomiya *et al.*, Nature Phys. **4**, 700 (2008)
- Kohnle *et al.*, PRL, **106**, 255302 (2011)

I. Carusotto and C. Ciuti, PRL (2004);
Phys. stat. sol. (b). **242**, 2224 (2005)

Superfluid regime

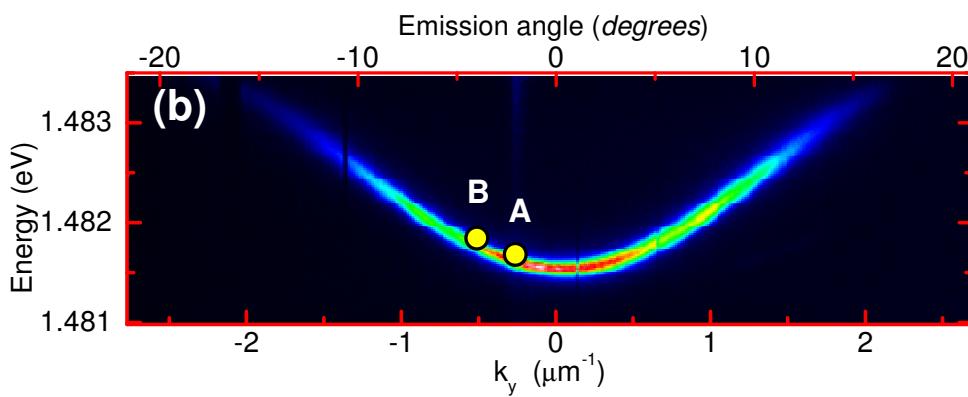
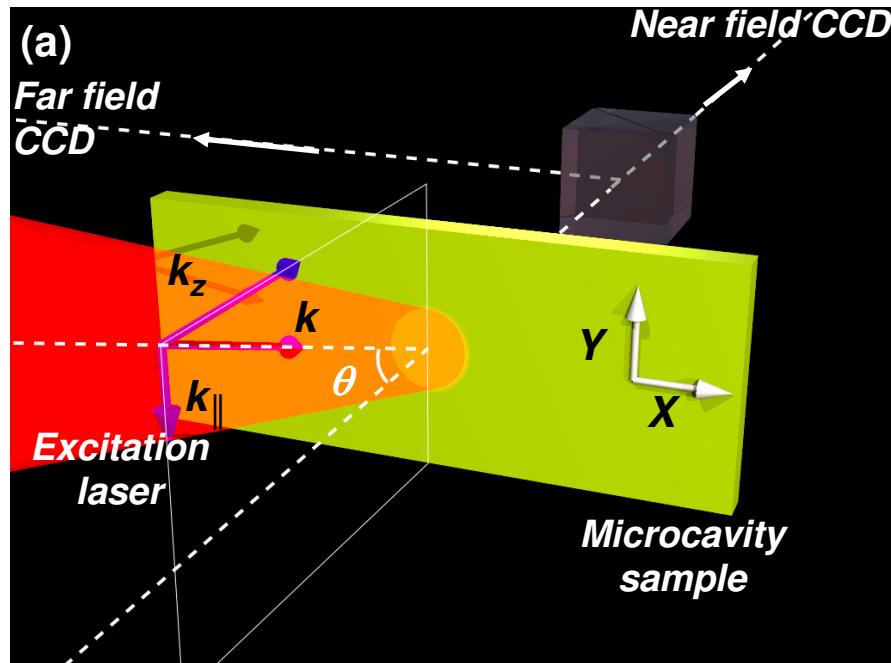
Landau criterium: $E_{LP}^{ren} > E_{signal}$ $k \neq k_{signal}$

No elastic scattering



I. Carusotto and C. Ciuti, PRL (2004);*phys. stat. sol. (b)*. **242**, 2224 (2005)

Experimental scheme



Control parameters

- ✓ Polariton density
(pump intensity)
- ✓ Fluid velocity
(excitation angle)
- ✓ Oscillation frequency
(laser frequency)

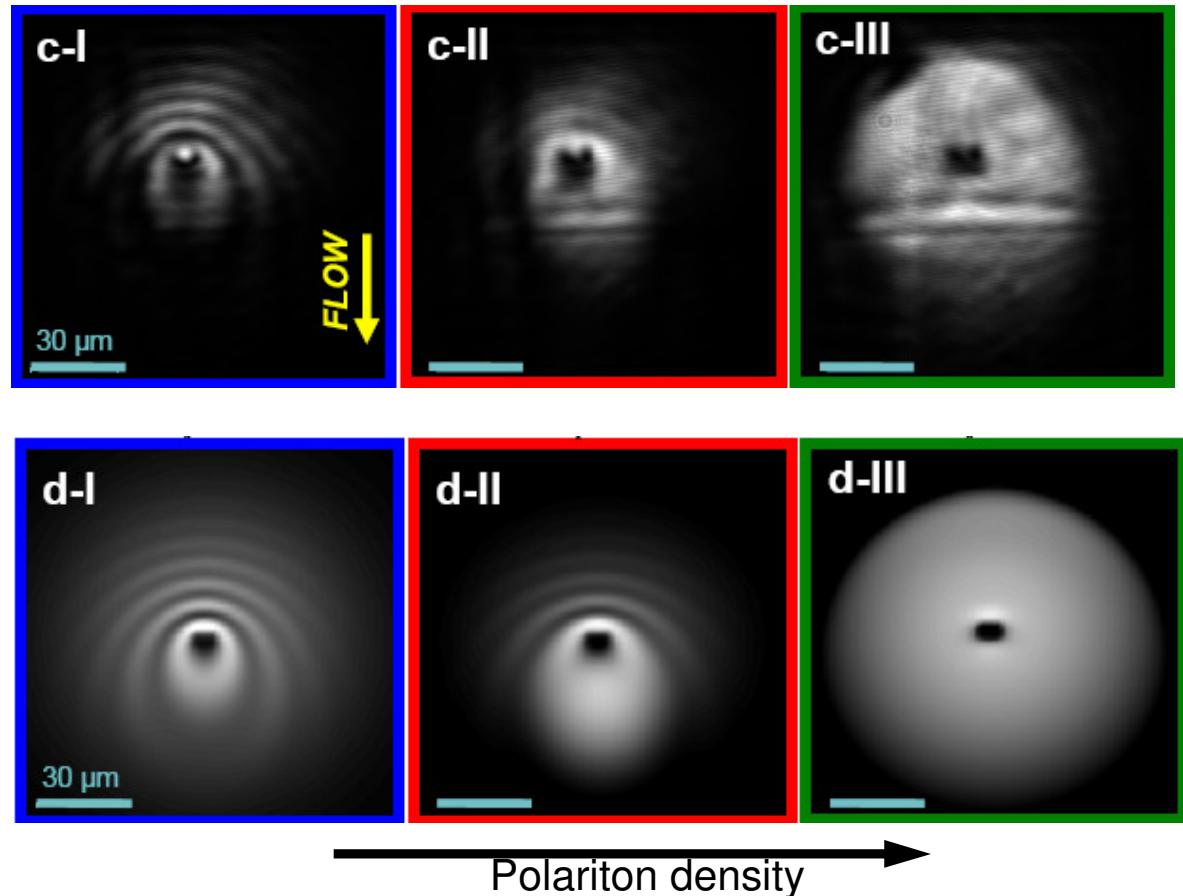
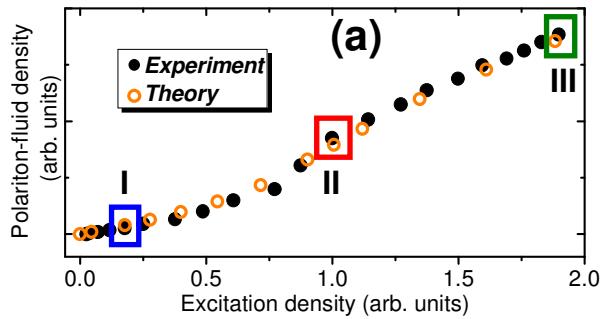
Polariton flow around a defect : near field image = real space

defect :
4 μm diameter

experiment

Point [A]
low momentum
 $v_f < c_s$

theory



$$v_p = 5.2 \cdot 10^5 \text{ m/s}$$

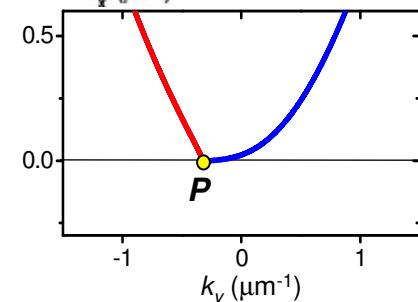
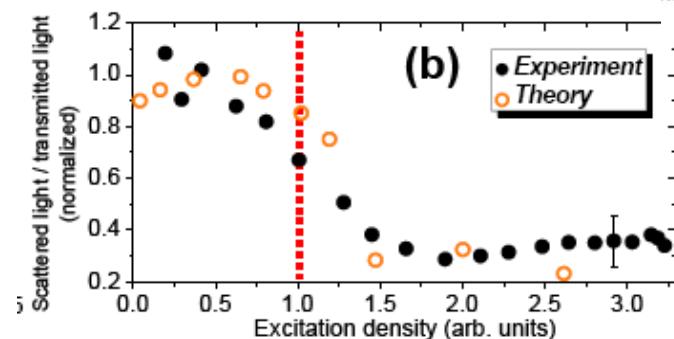
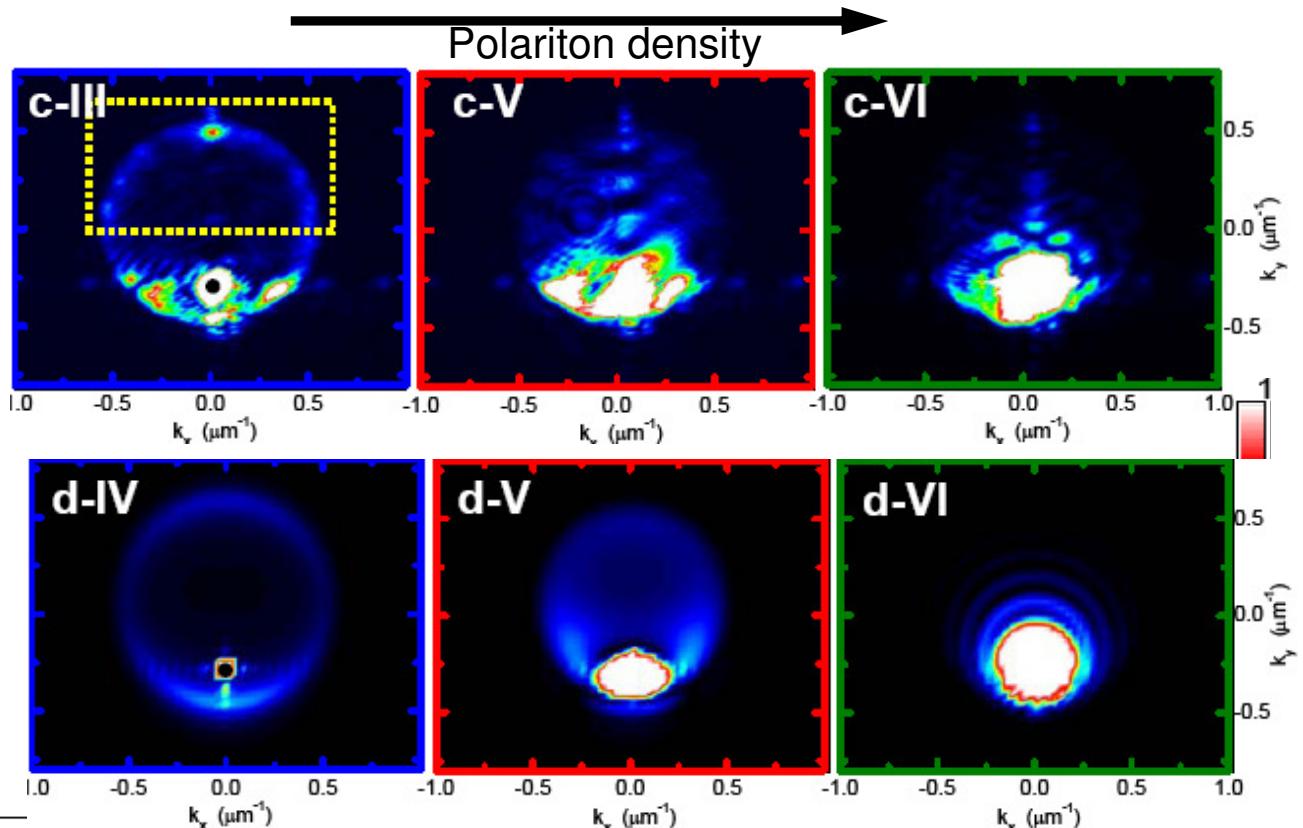
Superfluidity appears for a
polariton density of $\sim 10^9/\text{cm}^2$

Polariton flow around a defect : far field image = momentum space

experiment

Point [A]
low momentum
 $v_f < c_s$

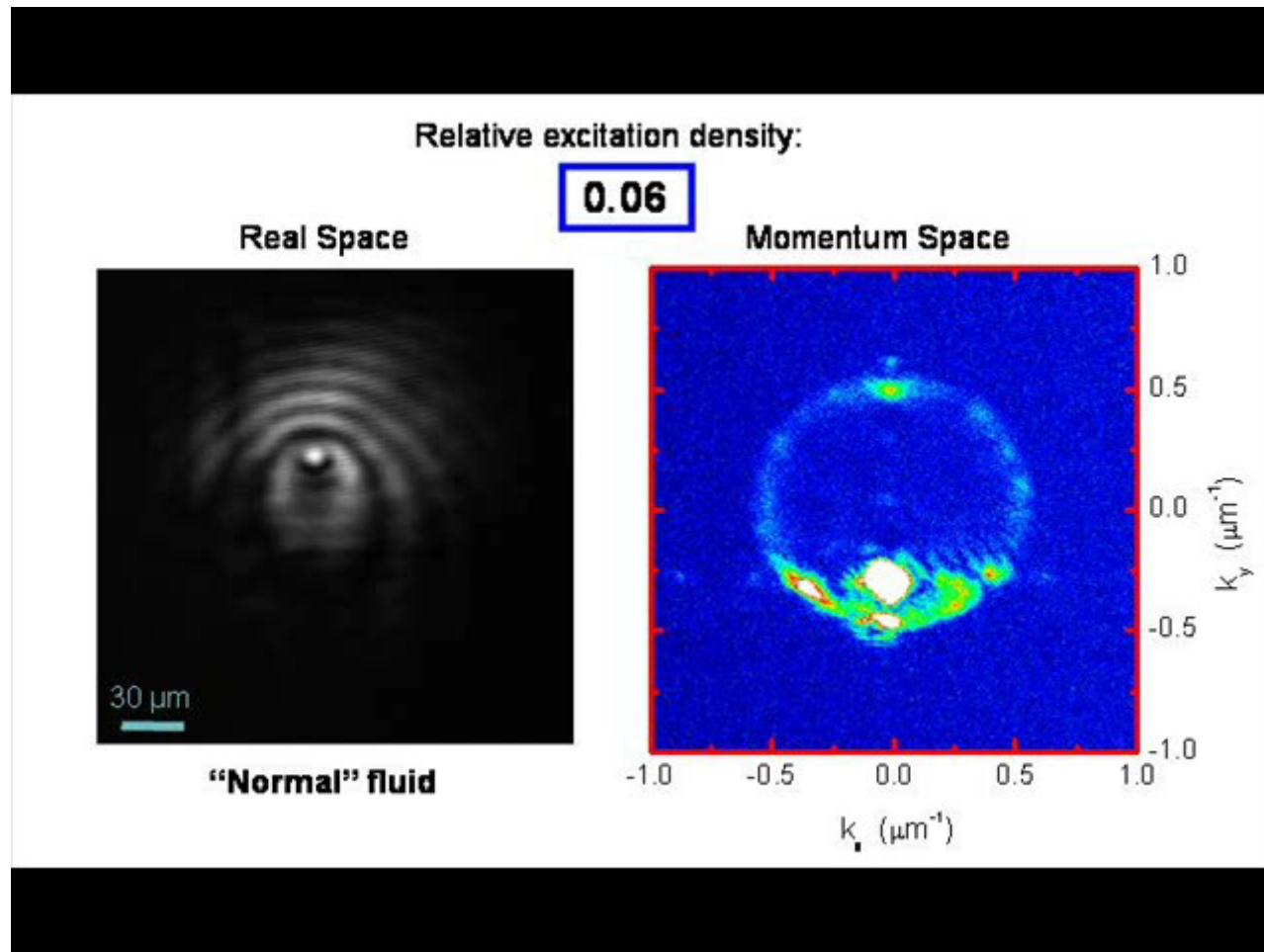
Landau criterion ✓
theory



Collapse of the ring

Amo et al., Nat. Phys., 5, 805 (2009)

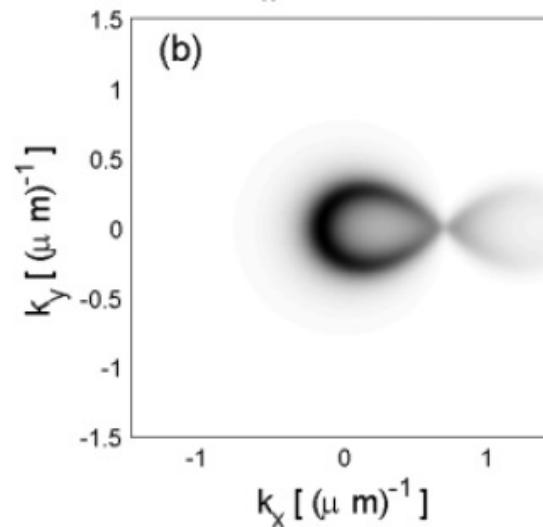
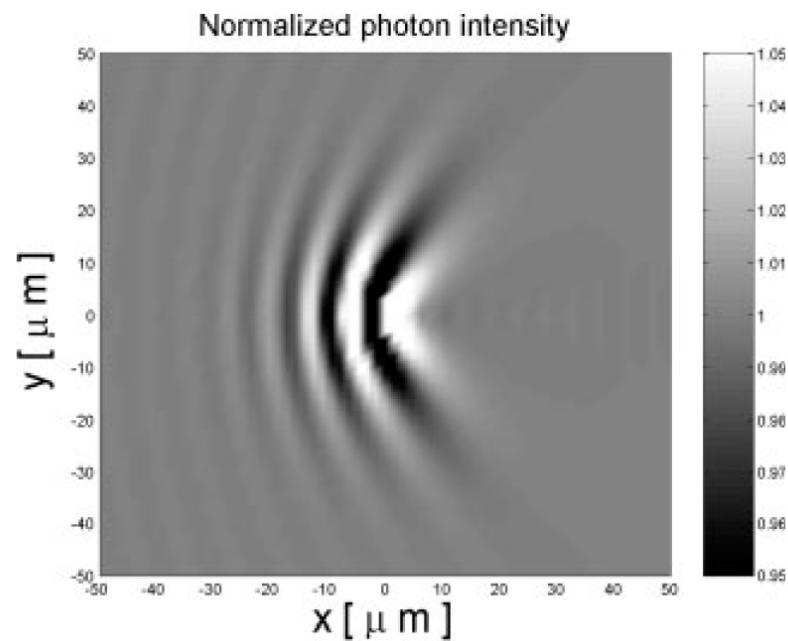
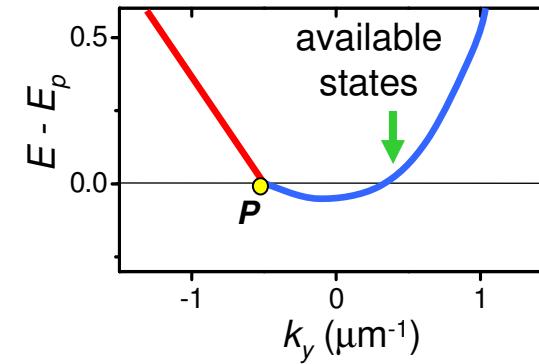
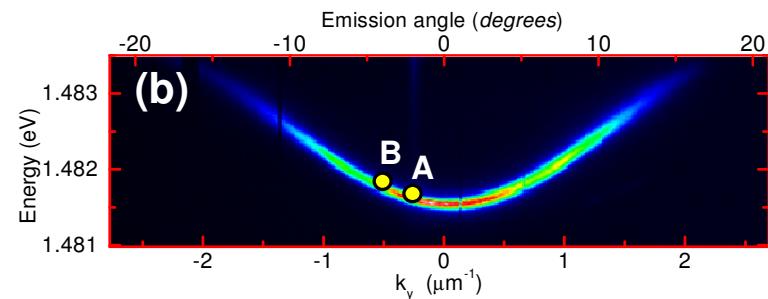
Transition to the superfluid regime



Amo et al., Nat. Phys., 5, 805 (2009)

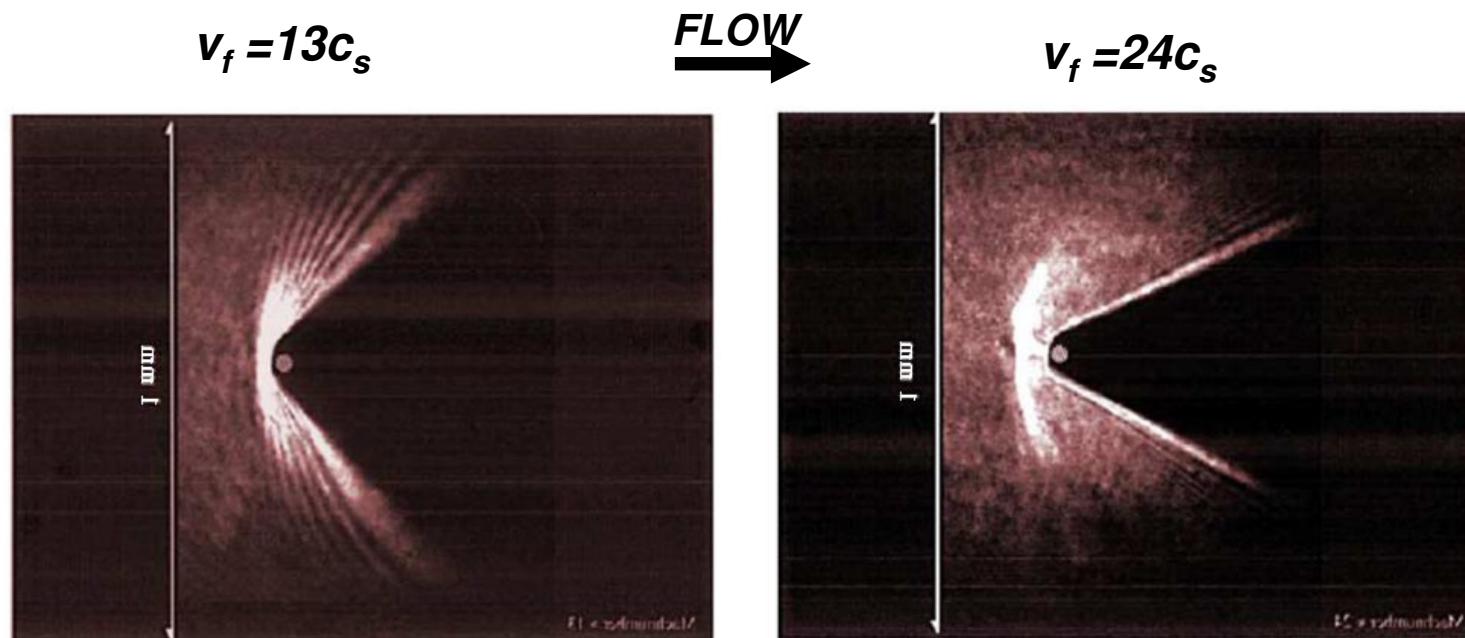
Čerenkov regime

Point [B]
high momentum $v_f > c_{sound}$ *supersonic regime* ~~Landau condition~~



Čerenkov effect in an atomic BEC

Čerenkov shock waves of a BEC against an obstacle at supersonic velocities

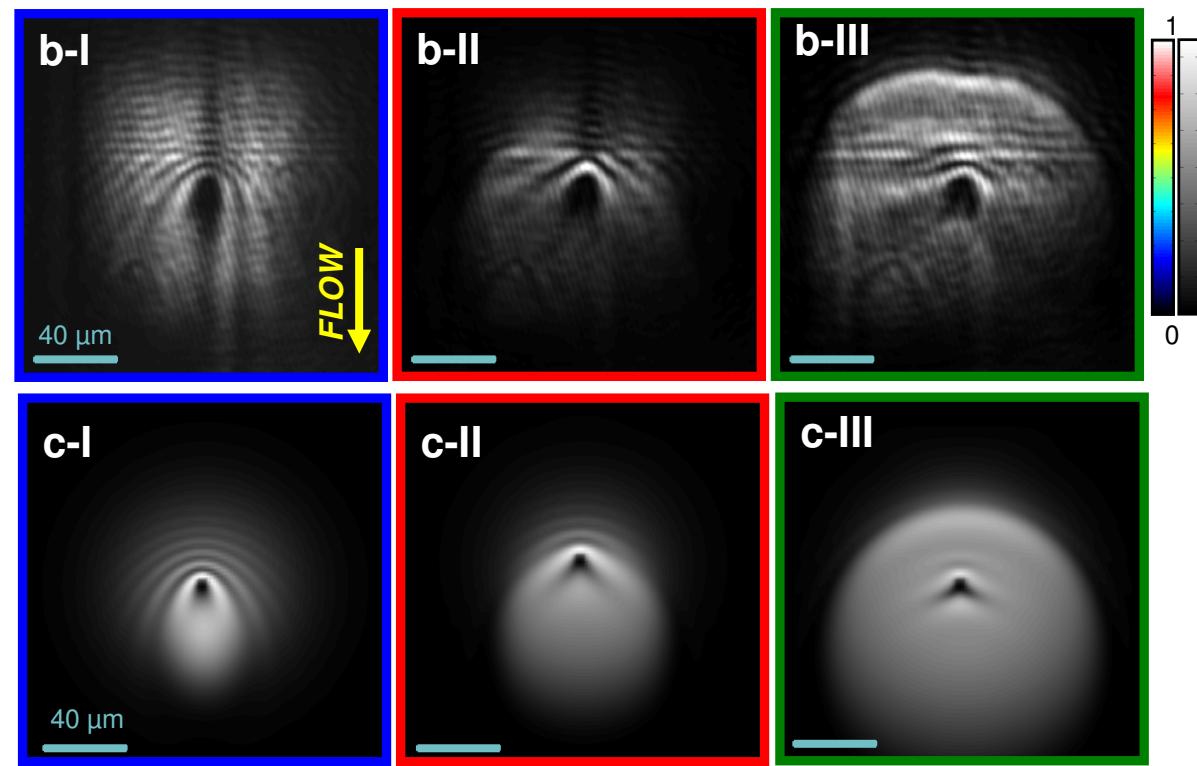


E. Cornell's talk at the KITP Conference on QuantumGases
[http://online.itp.ucsb.edu/online/gases_c04/cornell/.](http://online.itp.ucsb.edu/online/gases_c04/cornell/)

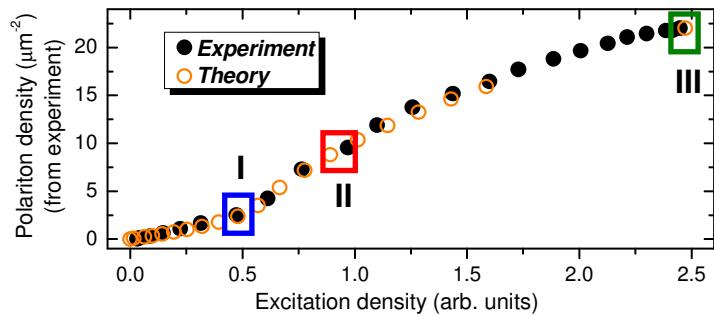
*Observation of Čerenkov waves indicates
the existence of a well defined sound
velocity in the system*

Čerenkov waves : near field image

experiment



theory



Polariton density

Characteristic linear
density wavefronts of the
Čerenkov waves

Transition to the Čerenkov regime

Supplementary Video 2

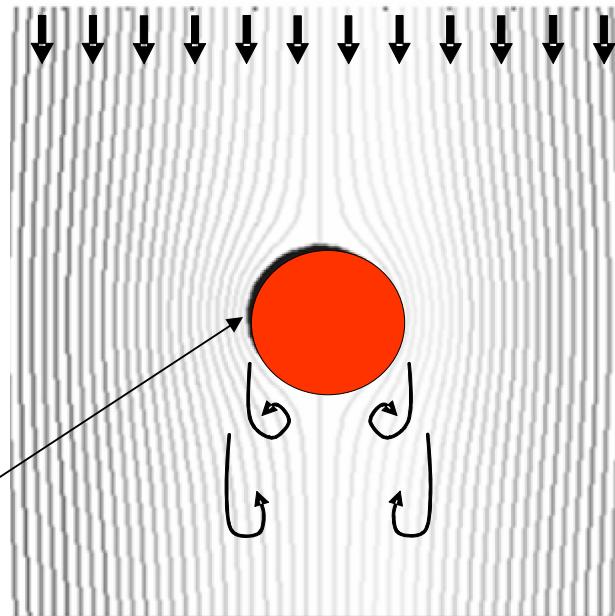
**Figure 3: transition to the
Čerenkov regime**

Amo et al., Nat. Phys., 5, 805 (2009)

Superfluidity breakdown: vortices and solitons formation?

The case of spatially extended defects; the size of the defect is larger than the healing length

$$v_f = v_\infty < c_s$$



Acceleration of the fluid near the defect: the Landau criterion is locally violated

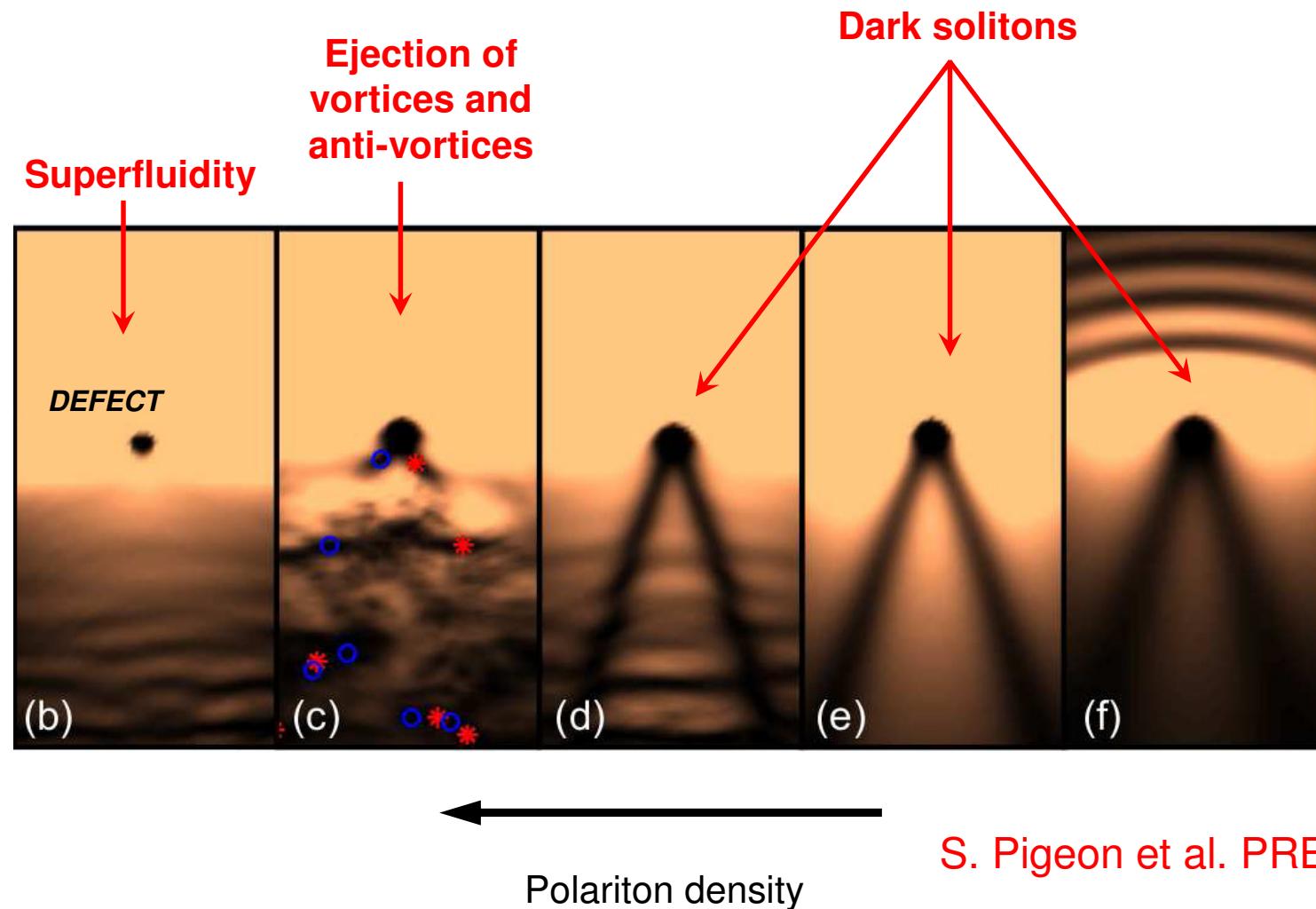
$$v_f = 2v_\infty$$

The currents formed in the fluid passing around a large obstacle can give rise to turbulence in its wake

Quantized vortices
Dark Solitons

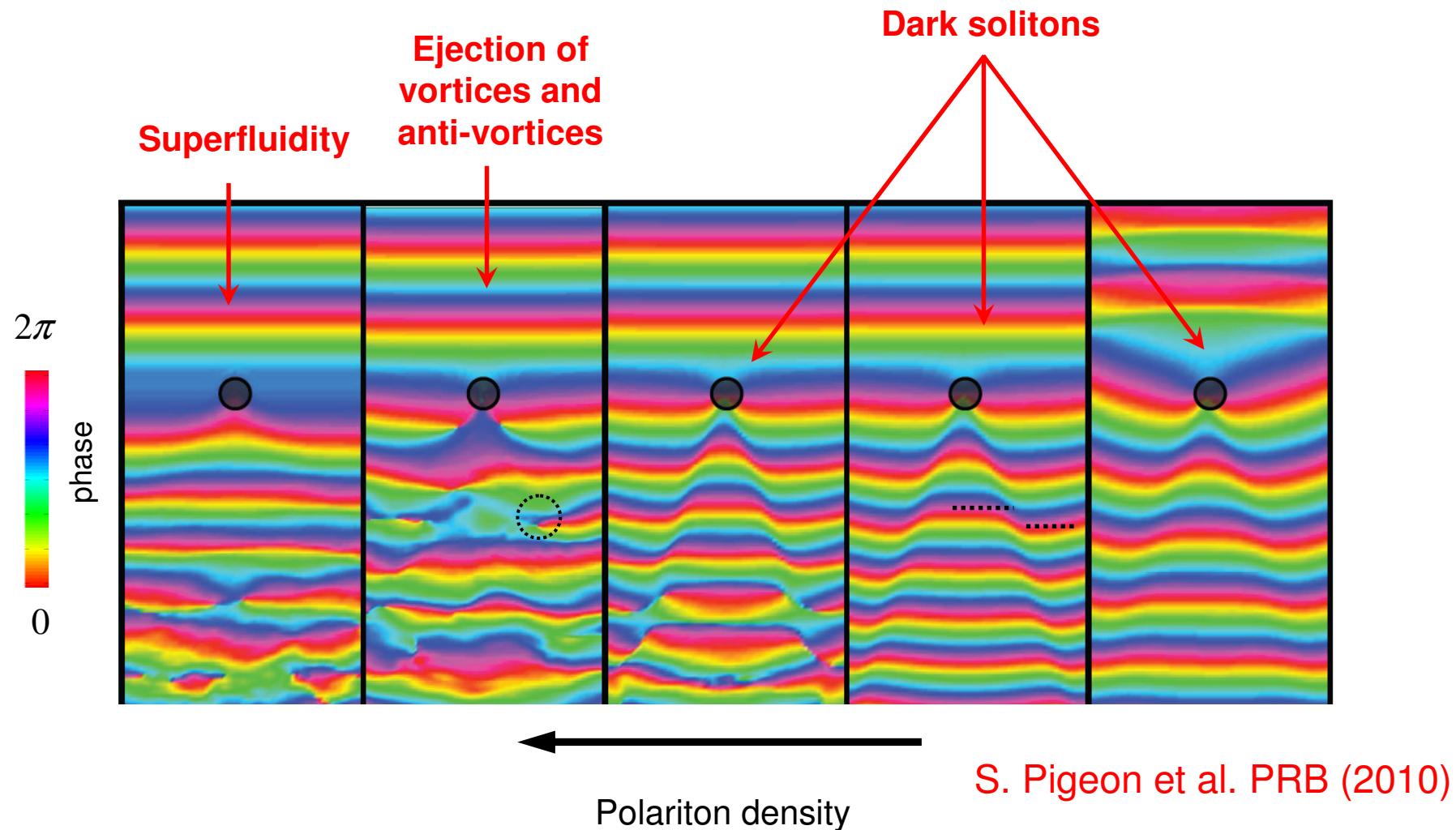
Superfluidity breakdown: vortices and solitons formation?

The case of spatially extended defects; the size of the defect is larger than the healing length

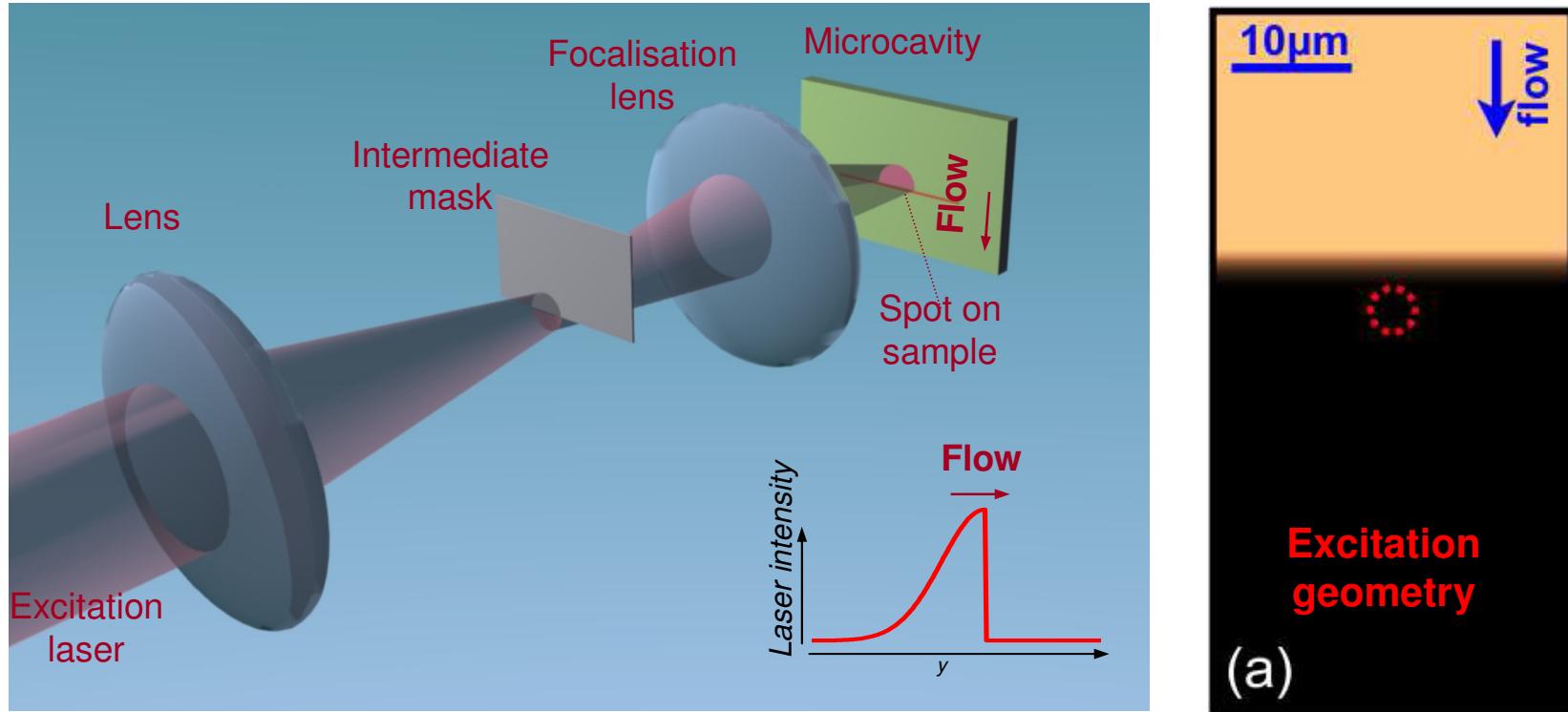


Superfluidity breakdown: vortices and solitons formation?

The case of spatially extended defects; the size of the defect is larger than the healing length



Experimental set-up



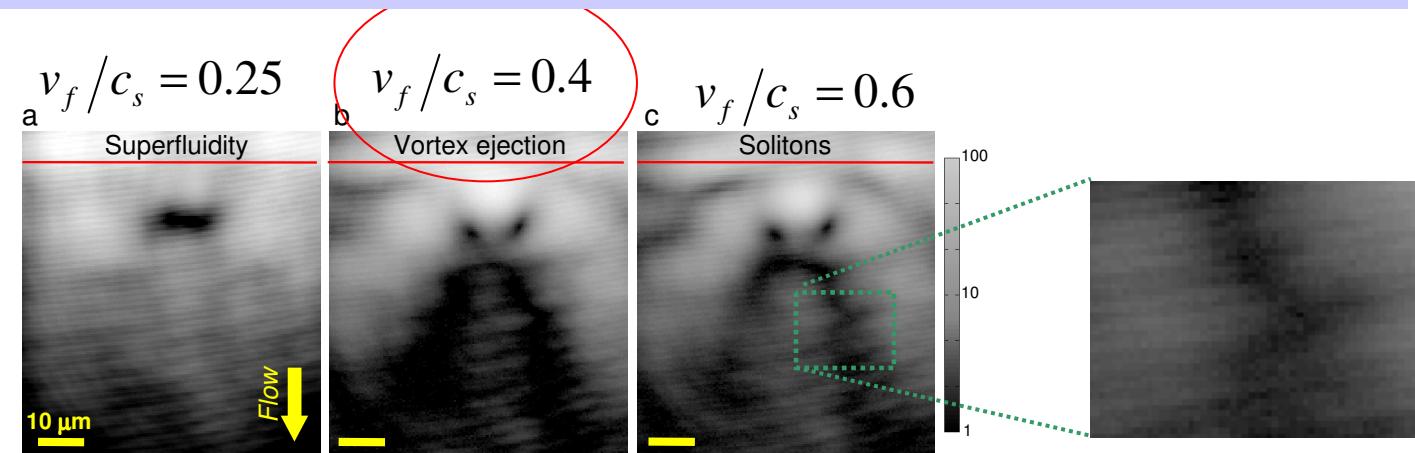
Key points

- ✓ CW laser (precise control of the fluid quantum state)
- ✓ Mask (free evolution for the superfluid phase)
- ✓ Possibility to generate topological excitations

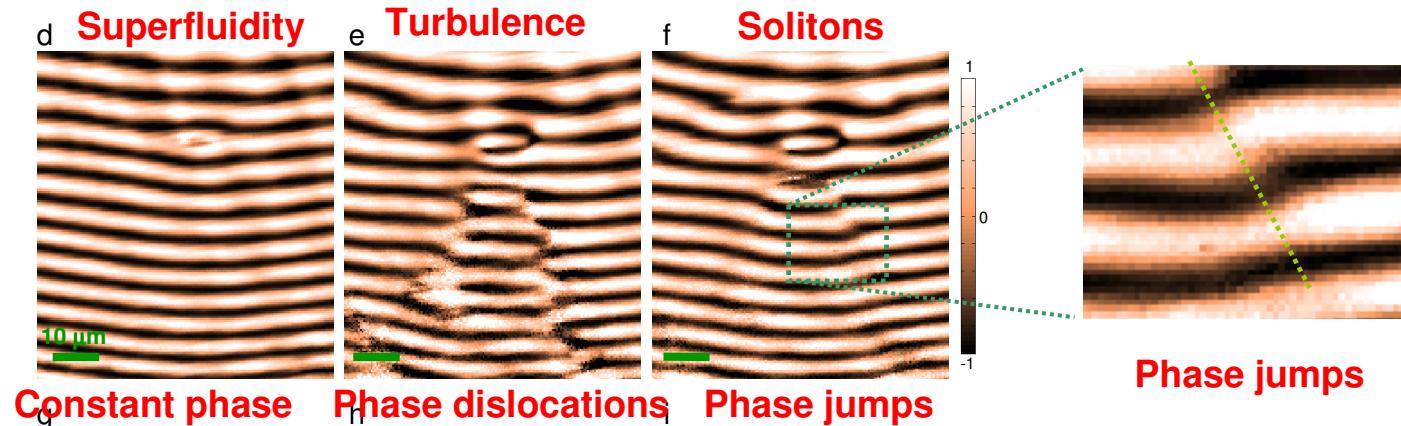
Vortices and Solitons

Big defect ($15\mu\text{m}$) >>
healing length

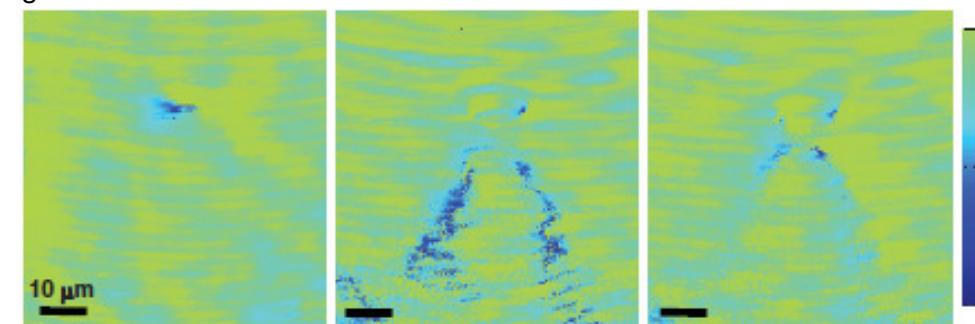
Real space



Interferogram

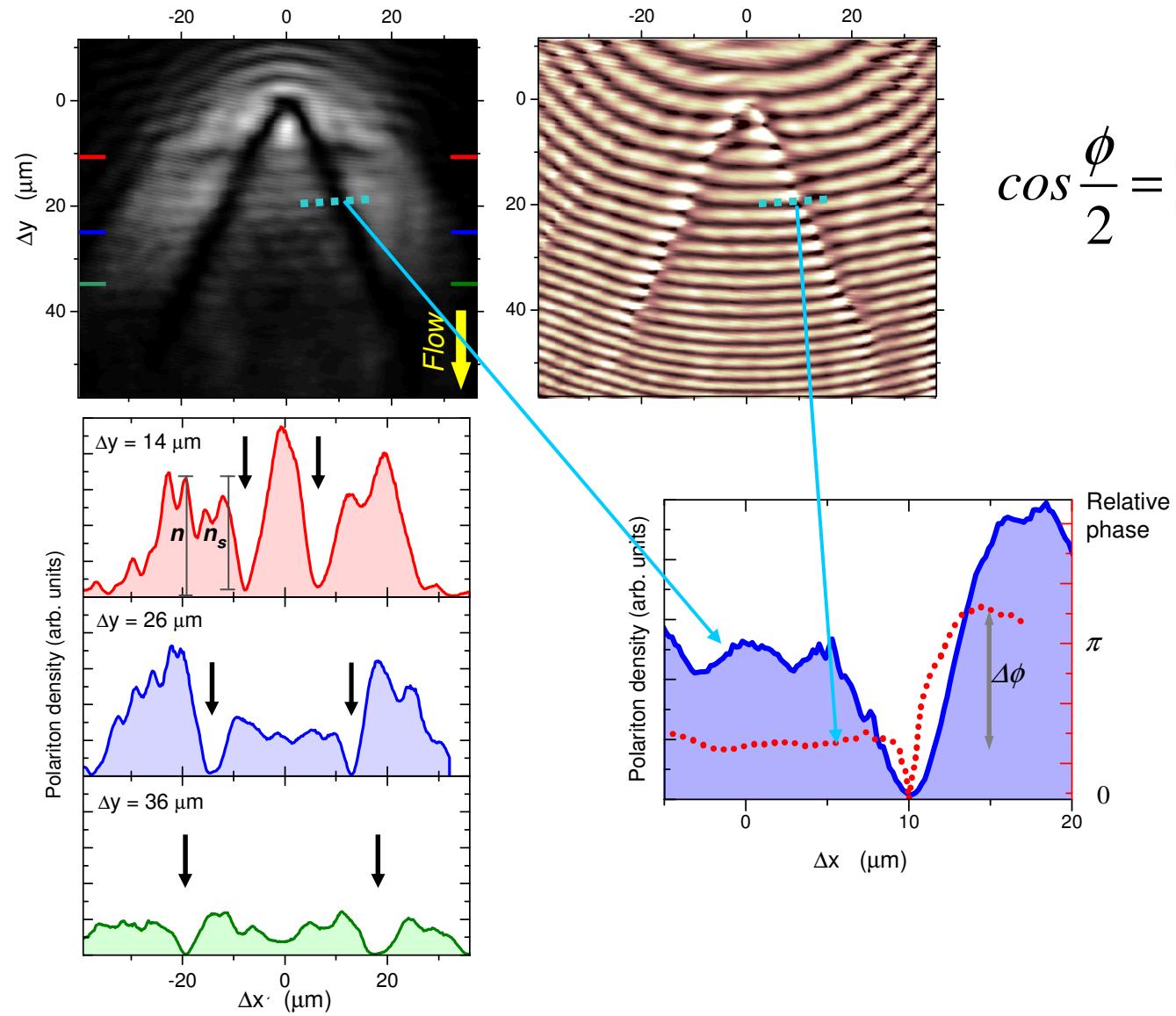


First order
coherence



Hydrodynamic Dark Solitons

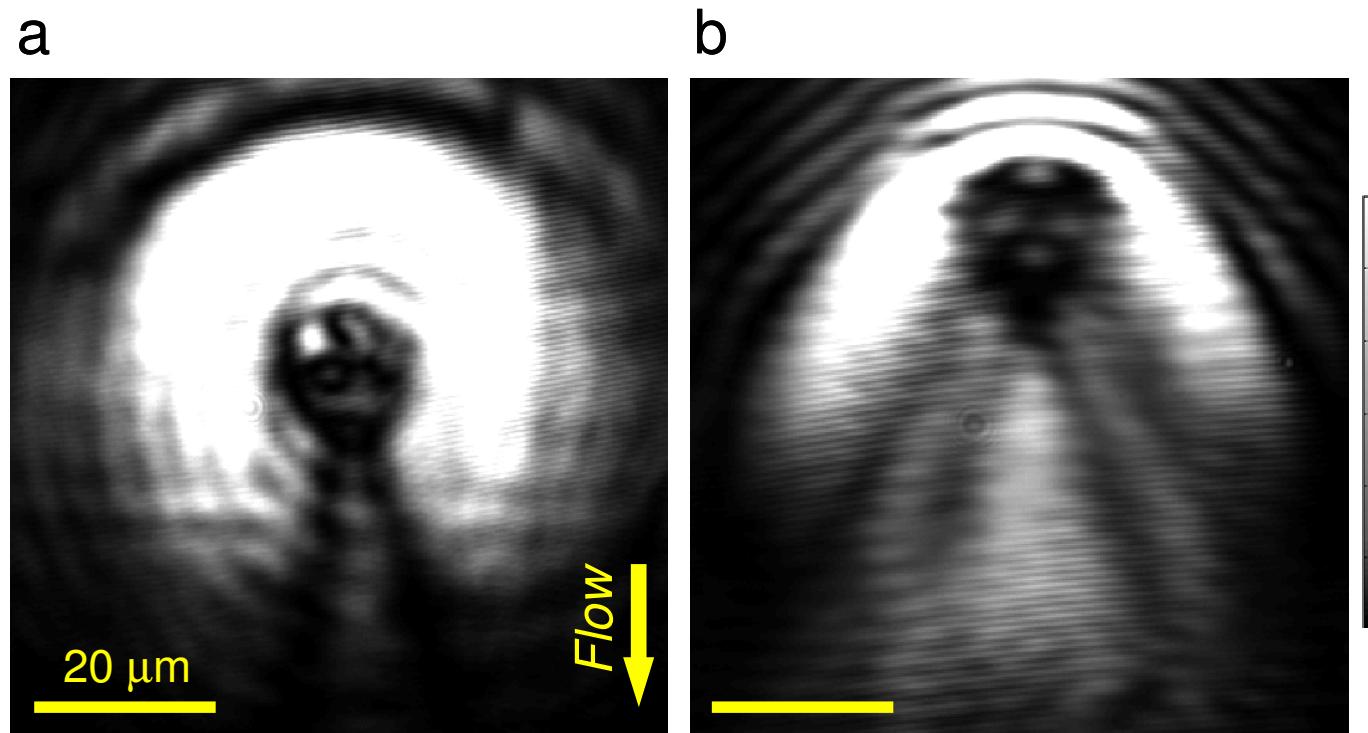
$$v_f = 1.7 \text{ } \mu\text{m}/\text{ps}$$
$$k = 0.73 \text{ } \mu\text{m}^{-1}$$



$$\cos \frac{\phi}{2} = \left(1 - \frac{n_s}{n}\right)^{\frac{1}{2}}$$

Soliton doublet and quadruplet

Big defect ($17\mu\text{m}$) \gg healing length



Low momentum; $k = 0.2 \mu\text{m}^{-1}$ High momentum; $k = 1.1 \mu\text{m}^{-1}$

Amo et al., Science, 332, 1167 (2011)

Hydrodynamic Dark Solitons: theory

PRL 97, 180405 (2006)

PHYSICAL REVIEW LETTERS

week ending
3 NOVEMBER 2006

Oblique Dark Solitons in Supersonic Flow of a Bose-Einstein Condensate

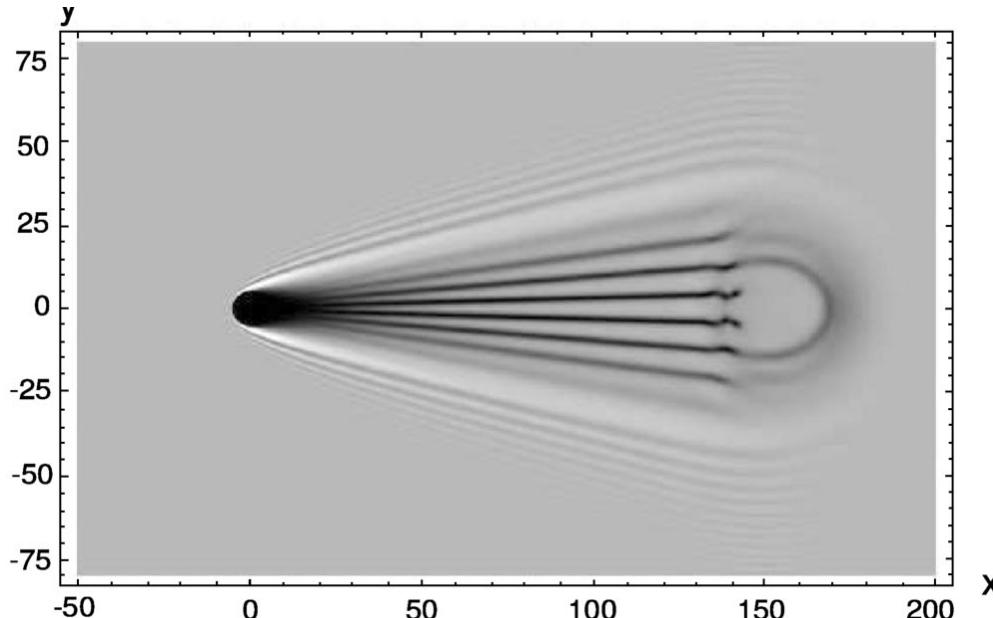
G. A. El,^{1,*} A. Gammal,^{2,†} and A. M. Kamchatnov^{3,‡}

¹*Department of Mathematical Sciences, Loughborough University, Loughborough LE11 3TU, United Kingdom*

²*Instituto de Física, Universidade de São Paulo, 05315-970, C.P. 66318 São Paulo, Brazil*

³*Institute of Spectroscopy, Russian Academy of Sciences, Troitsk, Moscow Region, 142190, Russia*

(Received 21 April 2006; published 1 November 2006)

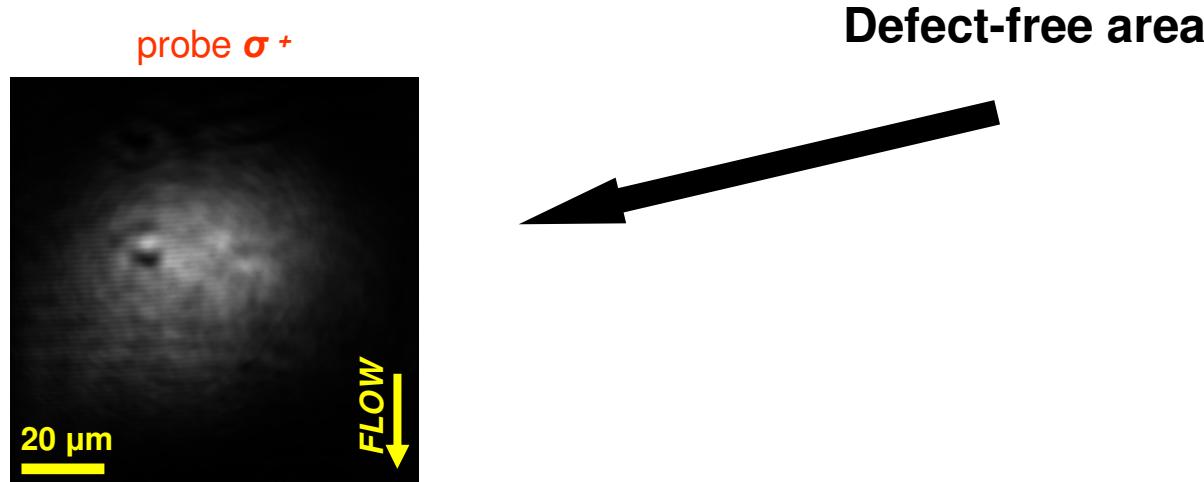


Not yet observed in atomic BEC; the dissipation in polariton fluids helps in stabilizing dark solitons (Kamchatnov et al. [arXiv:1111.4170](https://arxiv.org/abs/1111.4170))

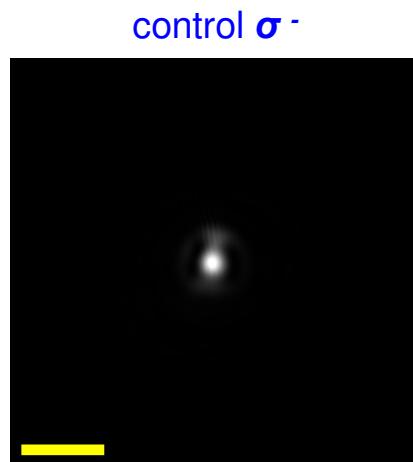
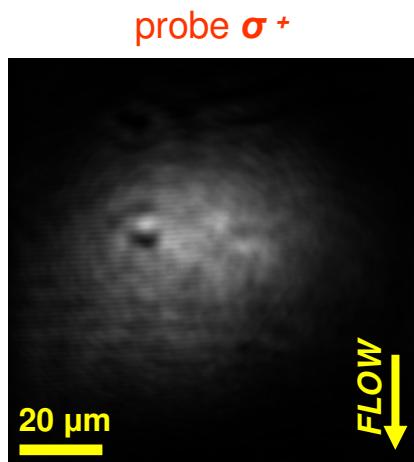
Light engineering of the polariton landscape: using polariton-polariton interactions

Engineered landscape

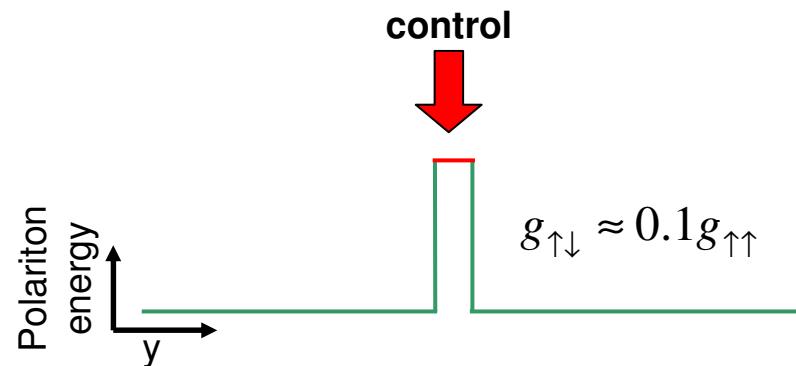
Sample from R. Houdré



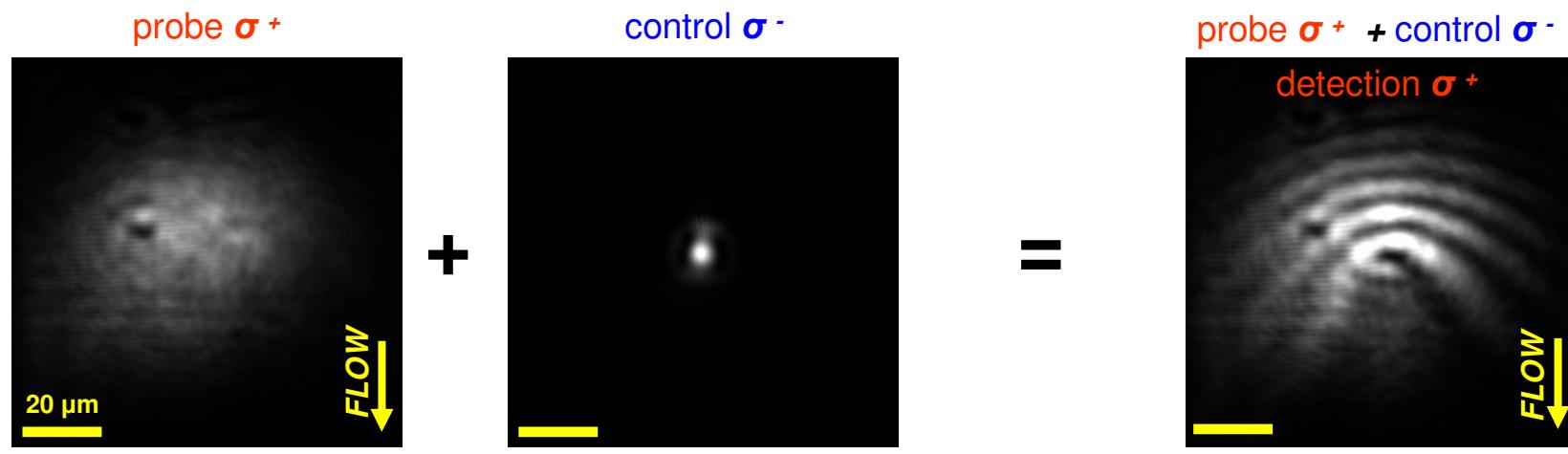
Engineered landscape



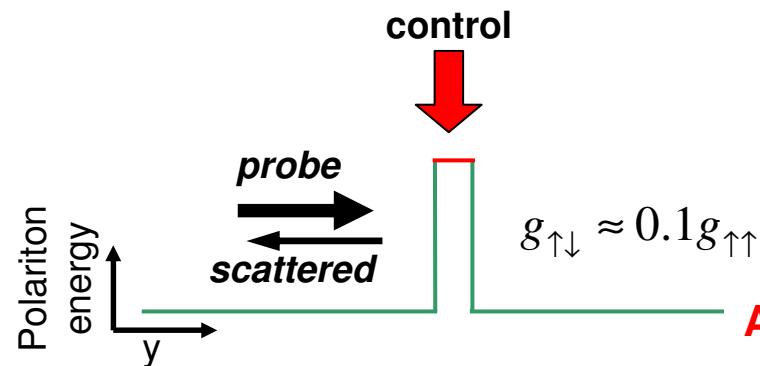
*strong field:
renormalization of the
polariton energy*



Engineered landscape

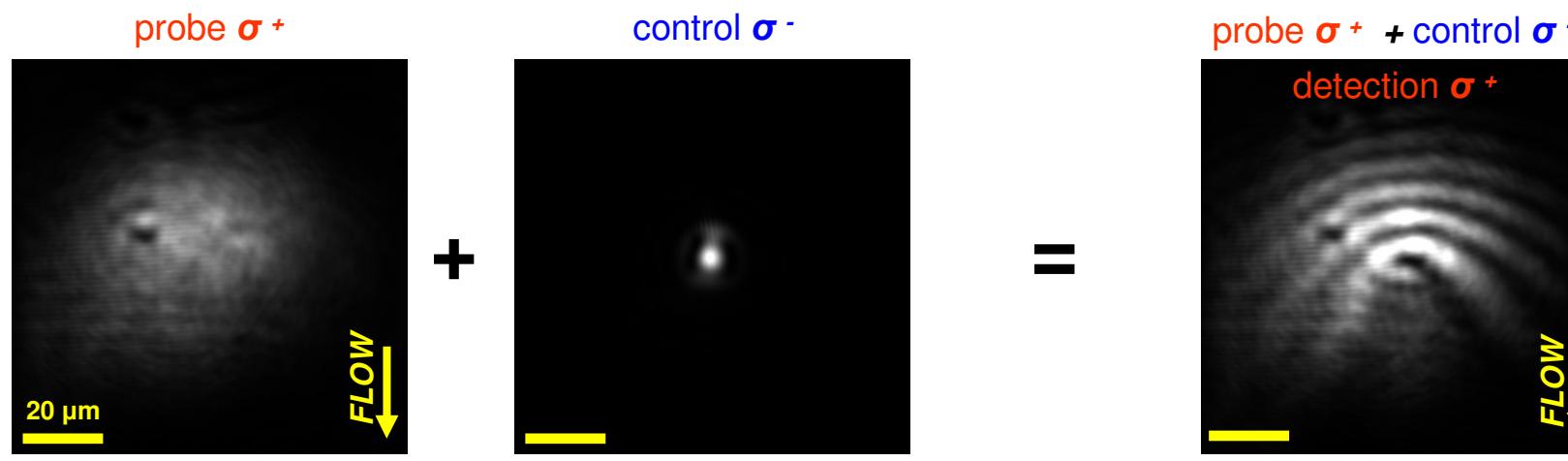


*strong field:
renormalization of the
polariton energy*

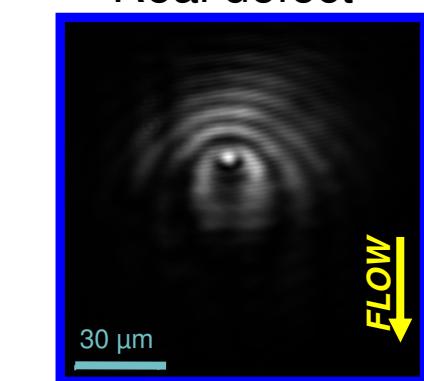
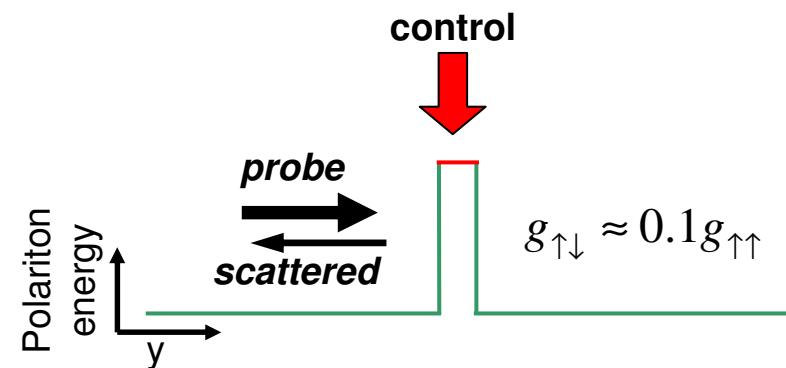


Amo et al., PRB Rapid Comm. (2010)

Engineered landscape

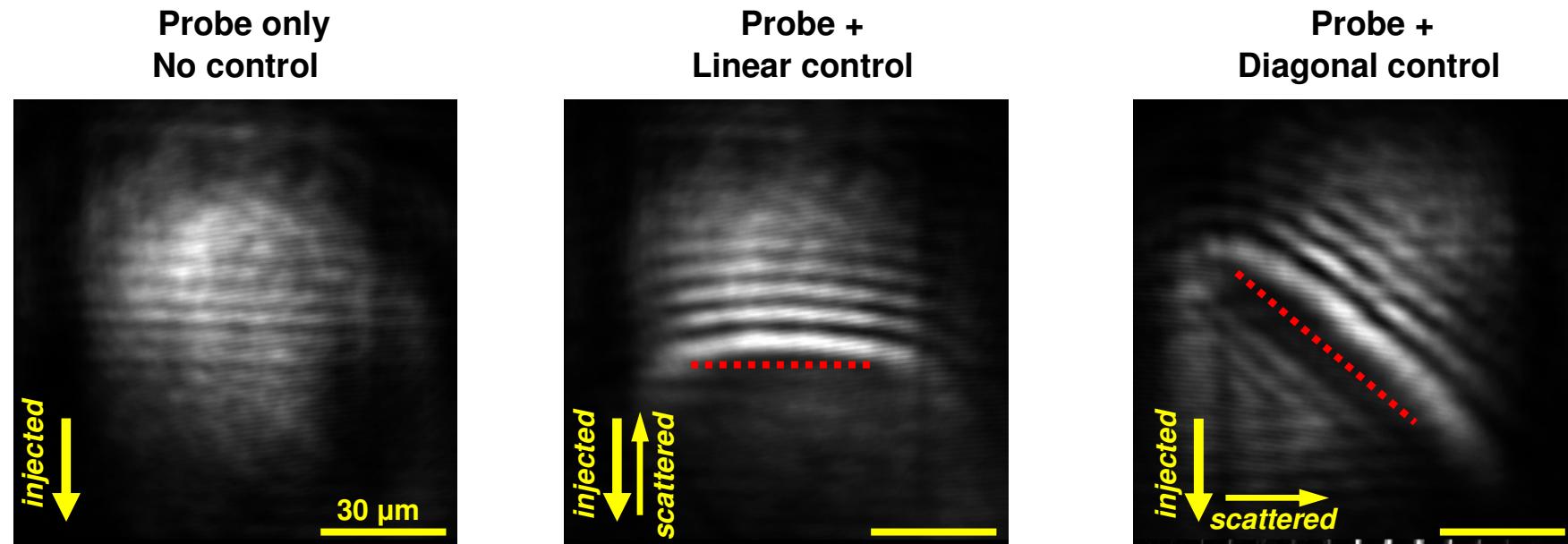


*strong field:
renormalization of the
polariton energy*

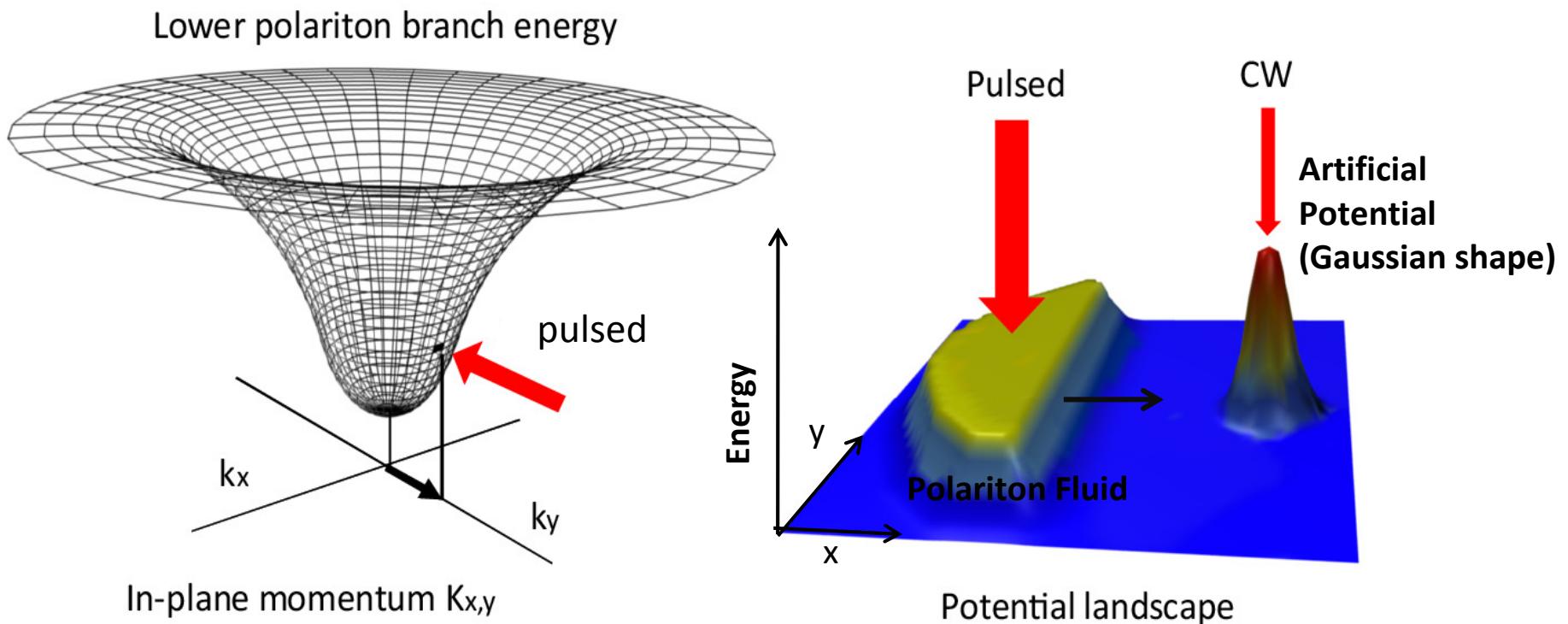


Amo et al., PRB Rapid Comm. (2010)

Engineered landscape



Optical control of vortex formation



All-optical control of the quantum flow of a polariton condensate

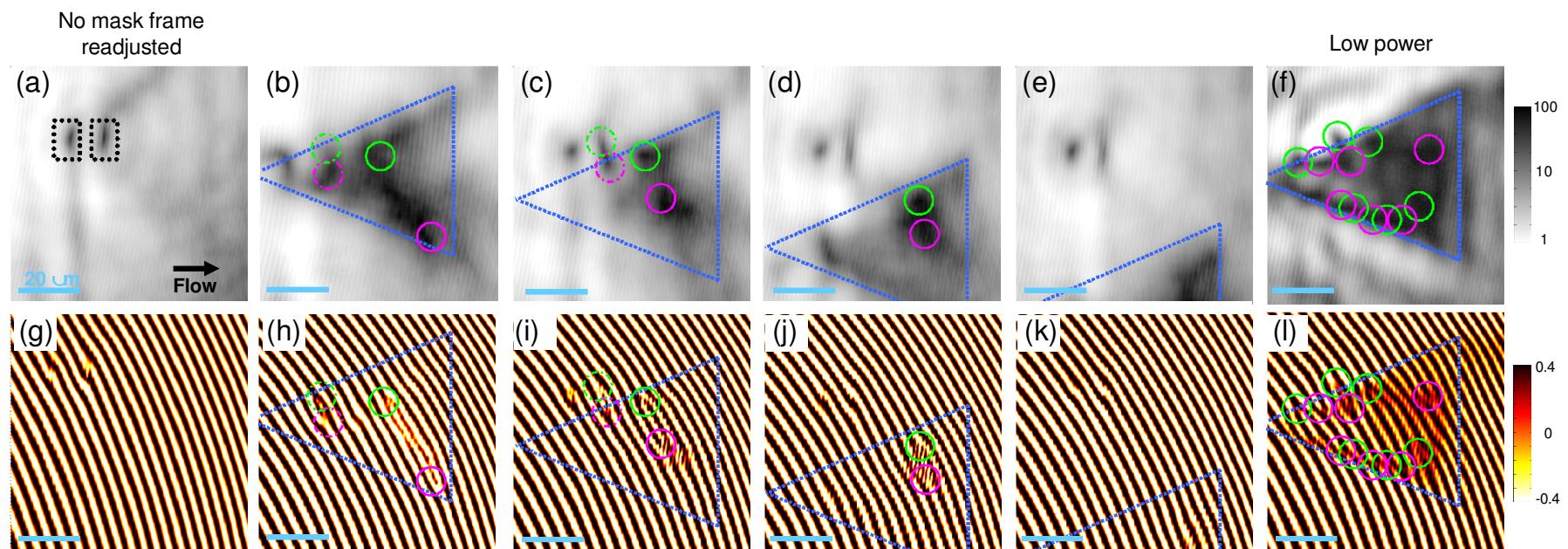
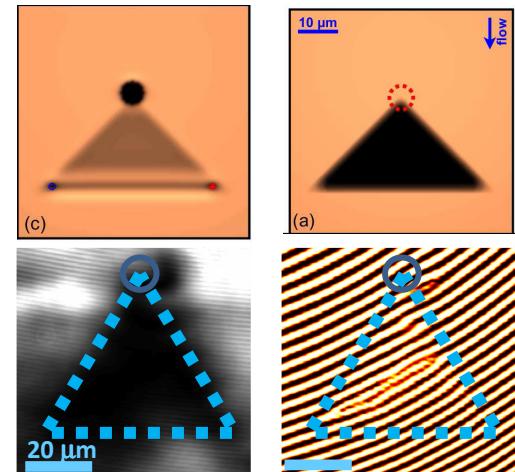
D. Sanvitto, *et al.*, Nature Photonics 5, 610 (2011)

Tailoring the potential landscape to trap vortices

S. Pigeon, et al., Phys. Rev. B 83, 144513 (2011)

D. Sanvitto, et al., Nature Photonics 5, 610 (2011)

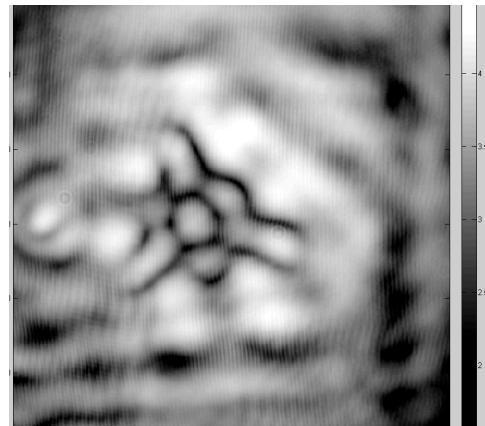
Triangular Trapping Mask behind the defect:
the vortices created in the wake of the defect are trapped inside the trap



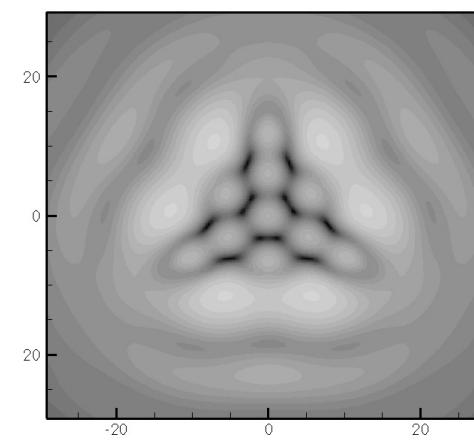
Towards spontaneous formation of vortex lattices

Small triangular trap

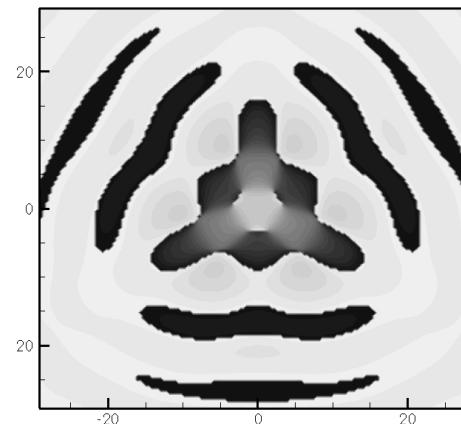
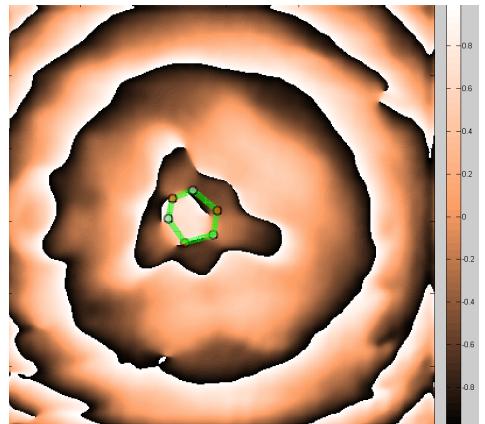
Experiment



Theory



Polariton density

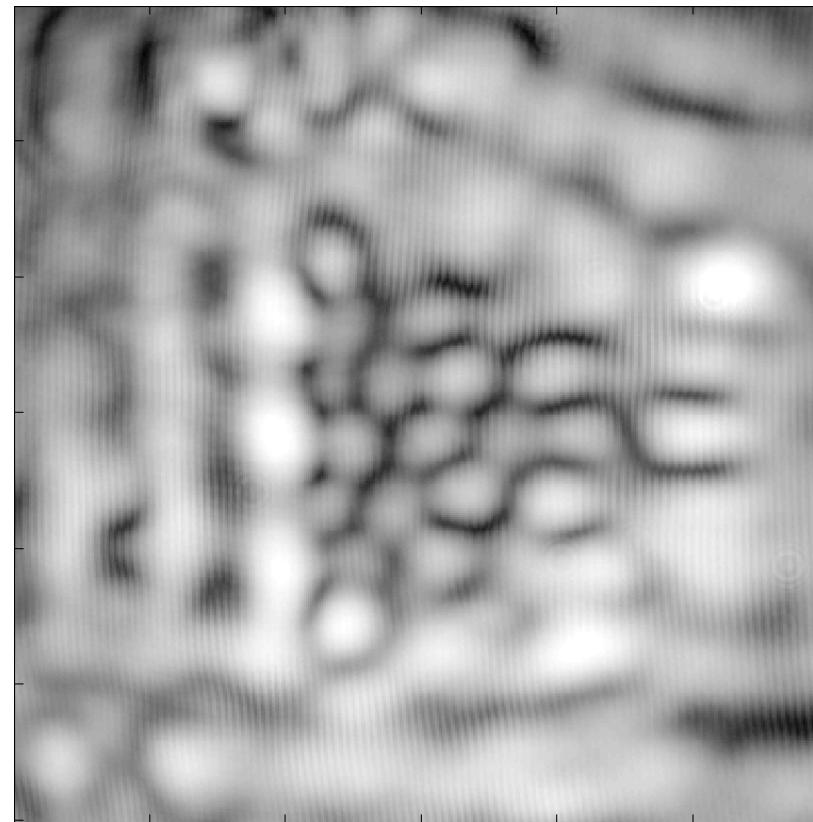


Phase

Self-organization of vortices and anti-vortices in hexagonal lattices

Towards spontaneous formation of vortex lattices

Increasing the size of the trap, a larger number
of hexagonal unit cells is formed



Conclusion and perspectives

➤ Polariton Quantum Fluids

- Superfluidity
- Čerenkov regime
- Hydrodynamic vortices and dark solitons

➤ Perspectives

- Engineering of polariton landscape: Dynamical Potentials, Optical traps for polaritons
- Study and control of Quantum turbulence?
- Lattices of vortices?
- Spinor polariton condensates
(Hivet et al. [arXiv:1204.3564](https://arxiv.org/abs/1204.3564))

Collaborations

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